

# The first steps in the life of a short GRB

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**A collaboration with**

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# GRBS, PROGENITORS.

- More than 200 competing models
- Difficult to identify because of lack of observational accuracy
- Most promising: catastrophic collapse event

## 1) Death of massive stars

- a) Collapsars (Woosley)
- b) Hypernovae (Paczynski)

⇒ Sources of long GRBs

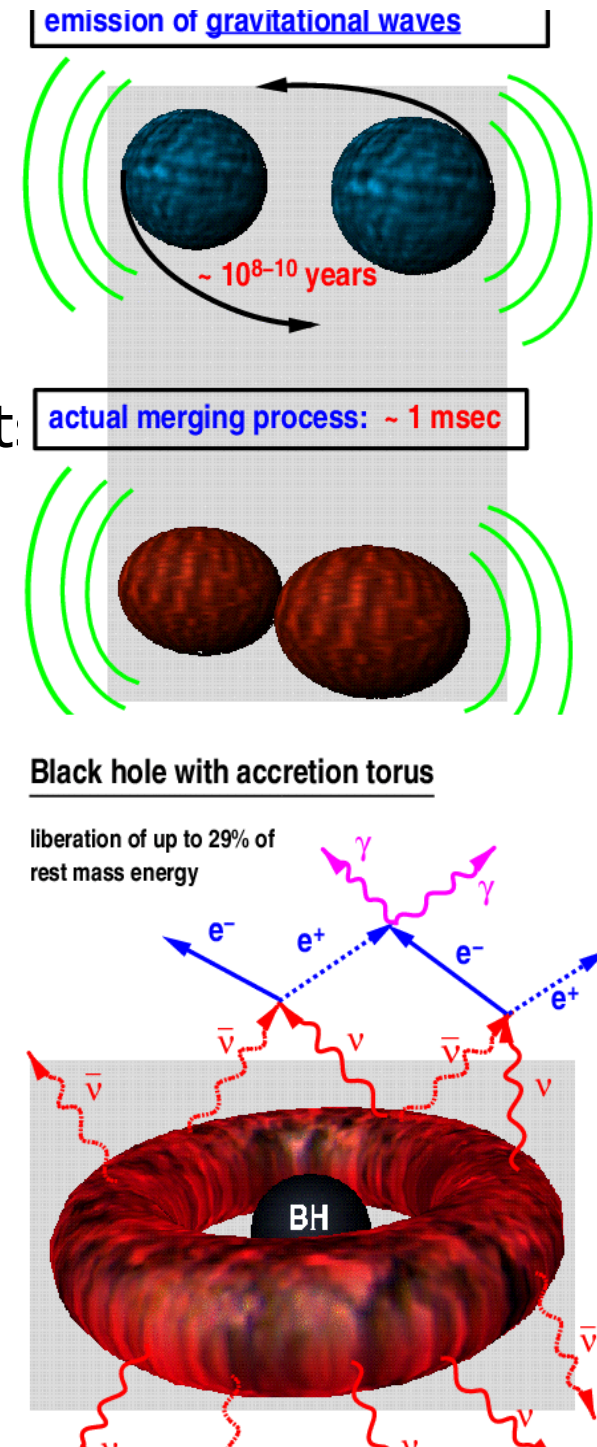
## 2) Mergers of compact binaries

(Paczynski, Goodman, Eichler et al.,  
Mochkovitch et al.)

⇒ Sources of short GRBs & strong GWs

Common scenario:

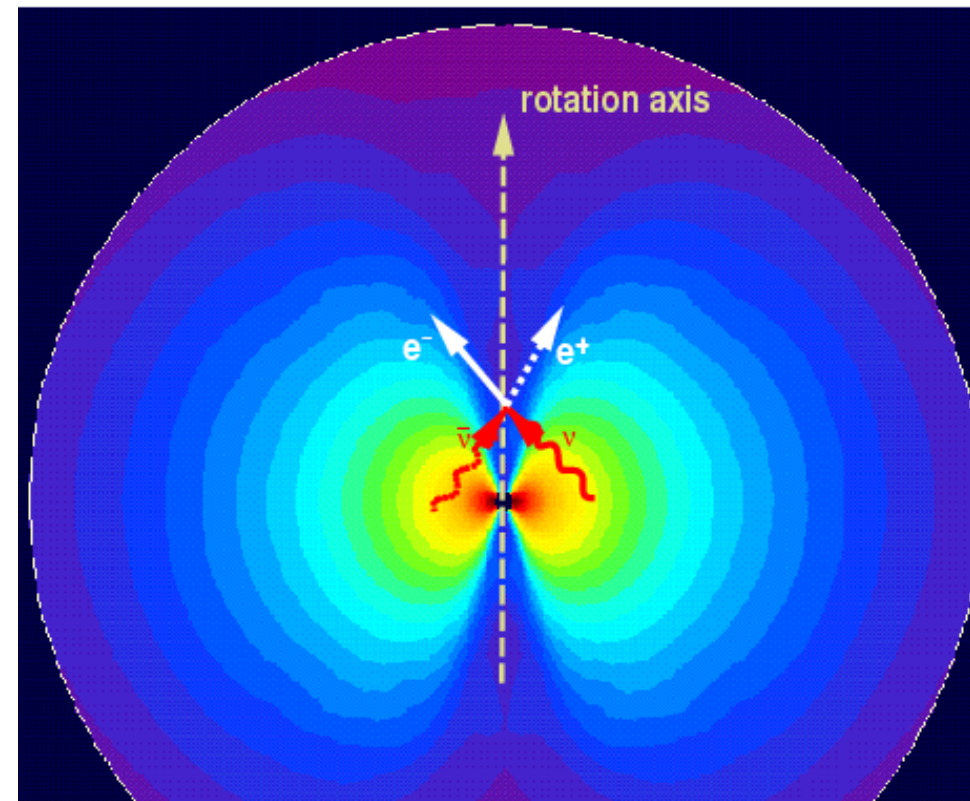
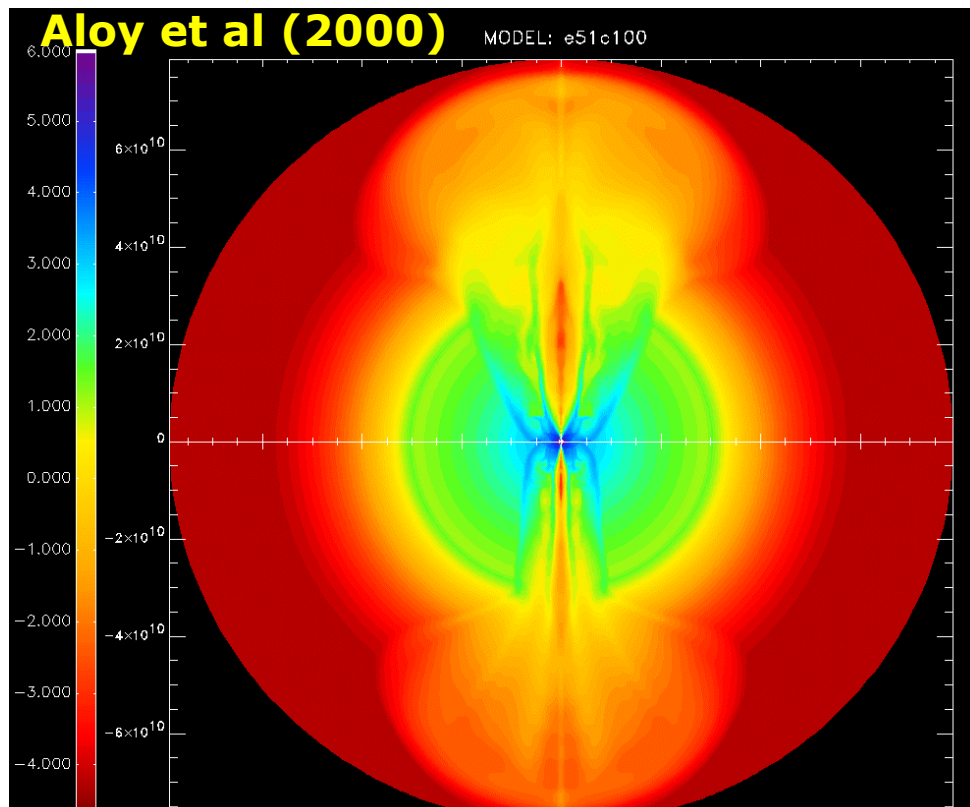
A stellar mass black hole accretes  
several  $M_{\text{sol}}$  of matter and produces  
a relativistic pair fireball



# GRBS, PROGENITORS: LONG DURATION

## Collapsars (Woosley 1993)

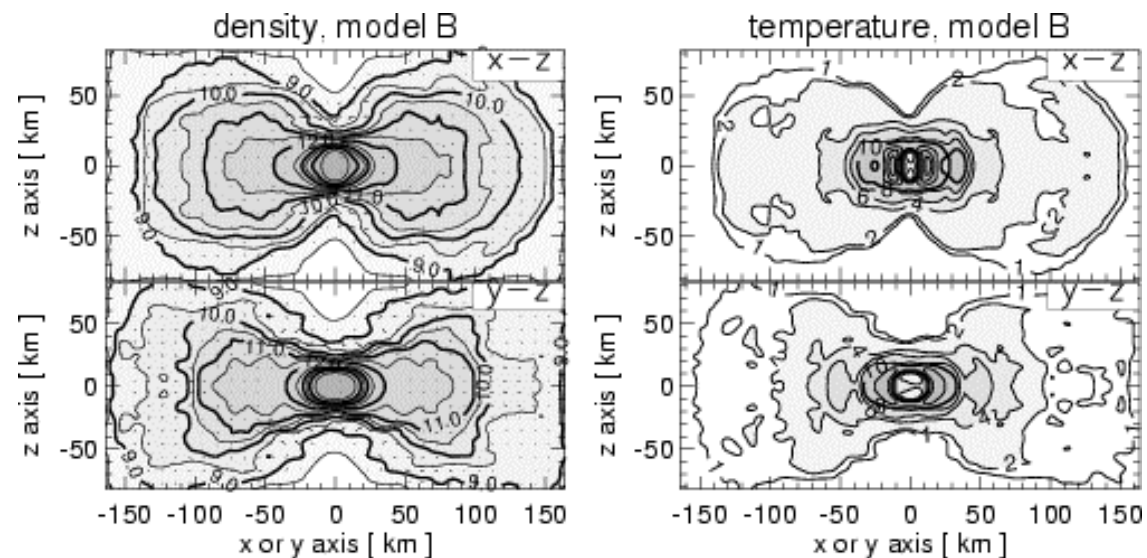
- Collapse of a massive (WR) rotating star that does not form a successful SN to a BH ( $M_{\text{BH}} \sim 3M_{\text{sol}}$ ) surrounded by a thick accretion disk. The hydrogen envelope is lost by stellar winds, interaction with a companion, etc.
- The viscous accretion onto the BH  $\Rightarrow$  strong heating  $\Rightarrow$  thermal  $\nu\bar{\nu}$  annihilating preferentially around the axis  $\Rightarrow$  formation of a relativistic jet ( $\Gamma > 10$ ).



## GRIDS, PROJECTIONS. SHOULD WE USE THEM?

## Merger of a system of compact binaries (SCBs):

- After the merger of a SCB a central BH ( $M_{\text{BH}} \sim 2-3M_{\text{sol}}$ ) girded by a thick accretion torus ( $M_{\text{torus}} \sim 0.05 - 0.3M_{\text{sol}}$ ).
- Once the thick disk is formed, up to  $\sim 10^{51}$  ergs can be released above the poles of the BH in a region that contains  $< 10^{-5} M_{\text{sun}}$  of baryonic matter due to  $\tilde{\nu}\tilde{\nu}$  annihilations preferentially near axis  $\Rightarrow$  acceleration to ultrarelativistic speeds.
- If the observed duration  $T_{\text{obs}}$  is related to the lifetime of the system  $T_a$  this kind of events can only belong to the class of short GRBs because  $T_{\text{disk}} \sim 0.05 - 0.5 \text{ s}$ .



# The first steps in the life of a short GRB

Our goals:

1. The viability of the scenario of merging SCBs for producing ultrarelativistic outflows (*winds, jets, radial outflows?*).
2. Mechanism of *collimation* (if any) of the outflowing plasma.
3. Expected durations of the GRB events generated in this framework and their relation to the time during which the source of energy is active ( $T_a$ ).

How to: GRHD simulations

-Build up a *likely* initial model

Schwarzschild BH

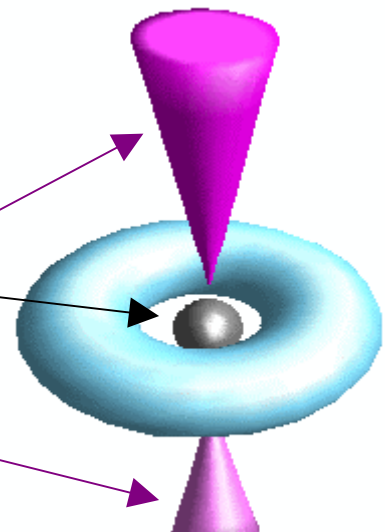
+

thick accretion torus

-Release energy in a *baryon clean* environment

-EoS: ideal gas of neutrons +  $e^+e^-$  + radiation

(Witt. Janka & Takahashi 1994)

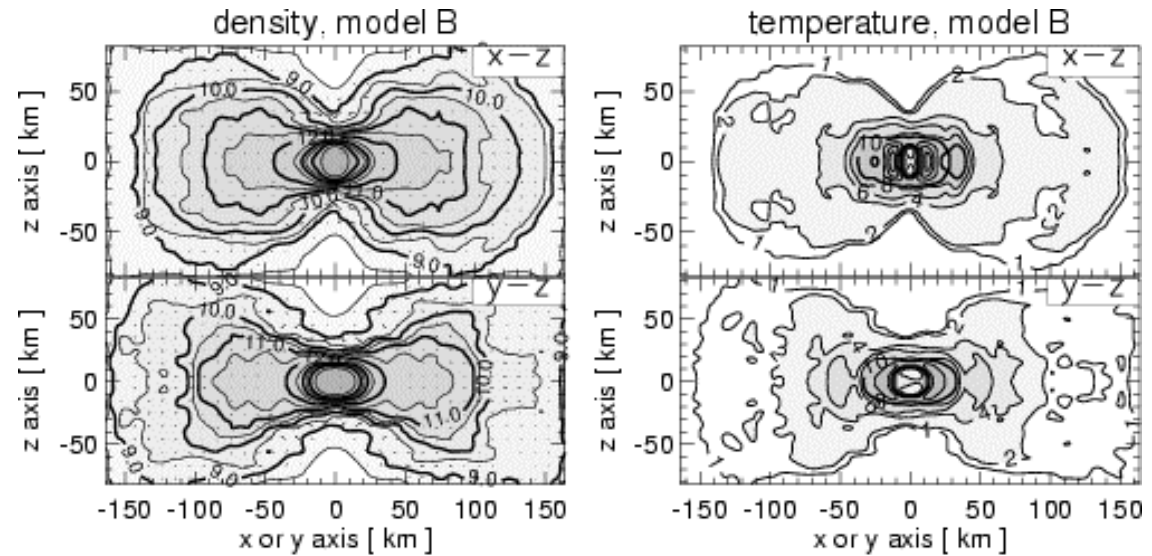




## Initial model

Two approaches:

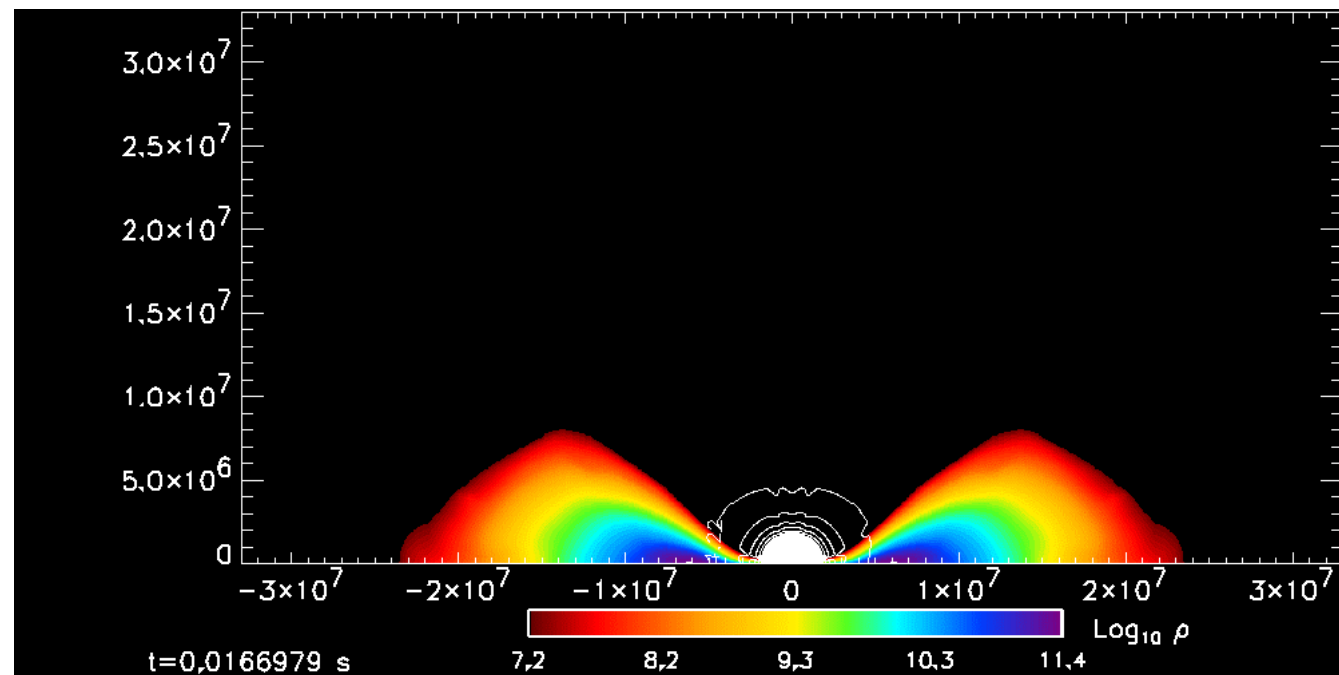
**Type-A:** Put a **toroidal-like** distribution of matter and angular momentum around a Schwarzschild BH (guided by the Newtonian simulations of **Ruffert & Janka 2001**) and **let it relax to an equilibrium configuration**.



Ruffert & Janka (2001), A&A, 380, 544

$$\begin{aligned} M_{\text{torus}} &\sim 0.17 M_{\text{sun}} \\ M_{\text{BH}} &\sim 3 M_{\text{sun}} \\ M_{\text{env}} &\sim 10^{-2} M_{\text{sun}} \end{aligned}$$

Relaxed initial model

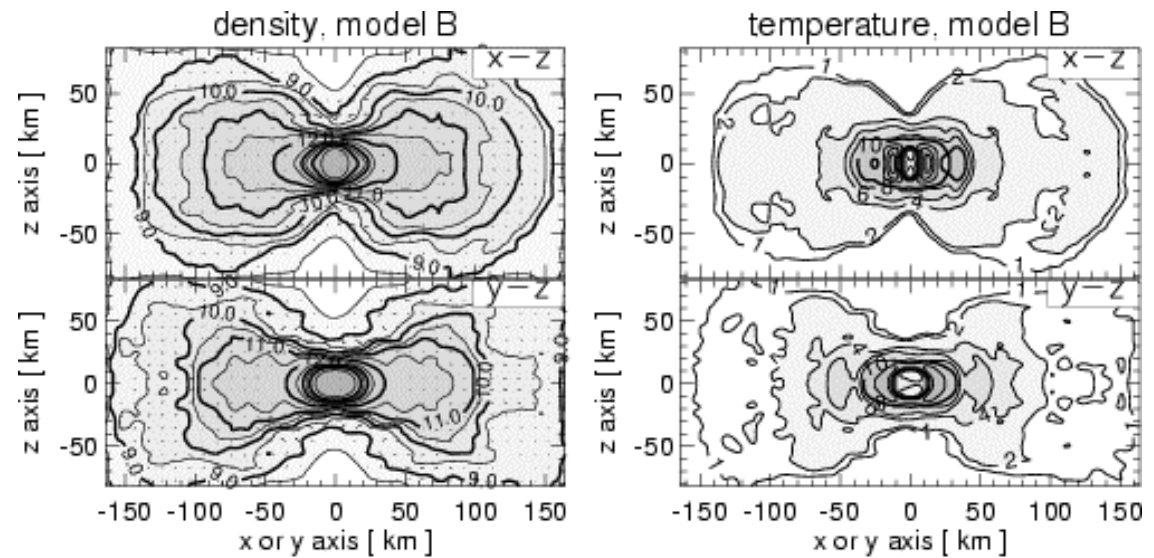


## Initial model

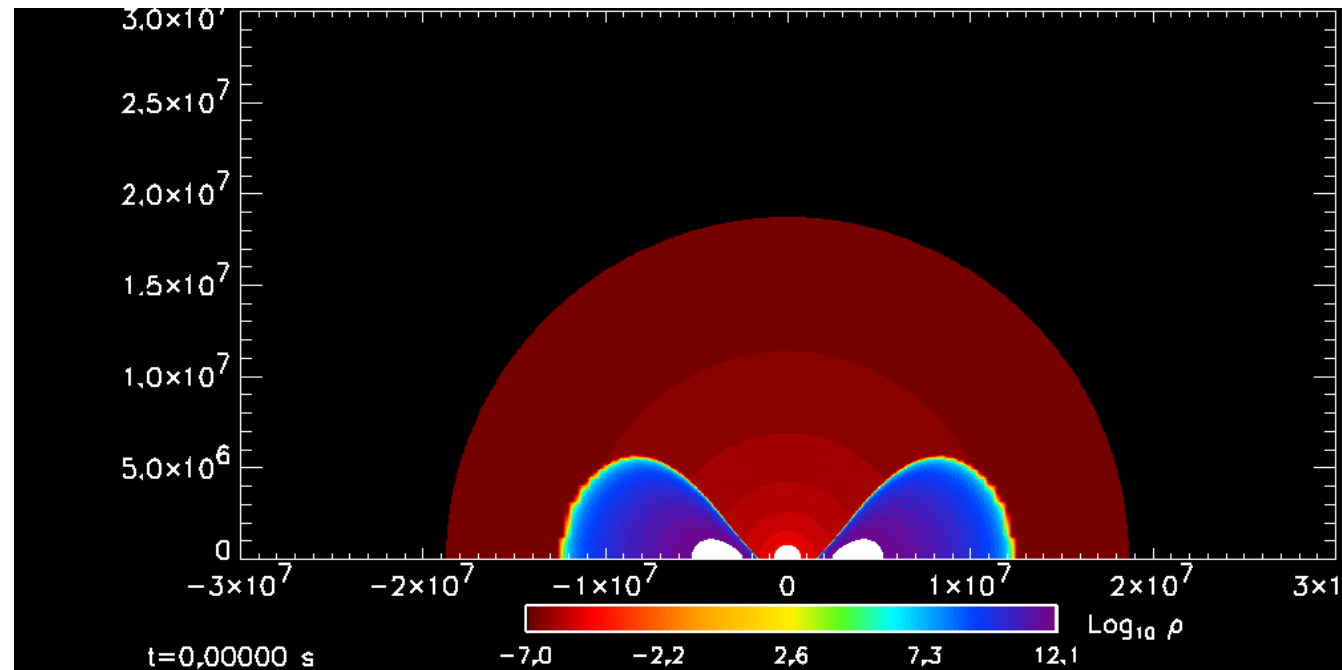
Two approaches:

**Type-B:** Follow **Font & Daigne (2003)** prescription to build up **equilibrium tori around a BH**. Outside use **Michel (1972)** spherical accretion solution.

$$\begin{aligned} M_{\text{torus}} &\sim 0.17 M_{\text{sun}} \\ M_{\text{BH}} &\sim 2.44 M_{\text{sun}} \\ M_{\text{env}} &\sim 10^{-7} M_{\text{sun}} \end{aligned}$$



Ruffert & Janka (2001), A&A, 380, 544

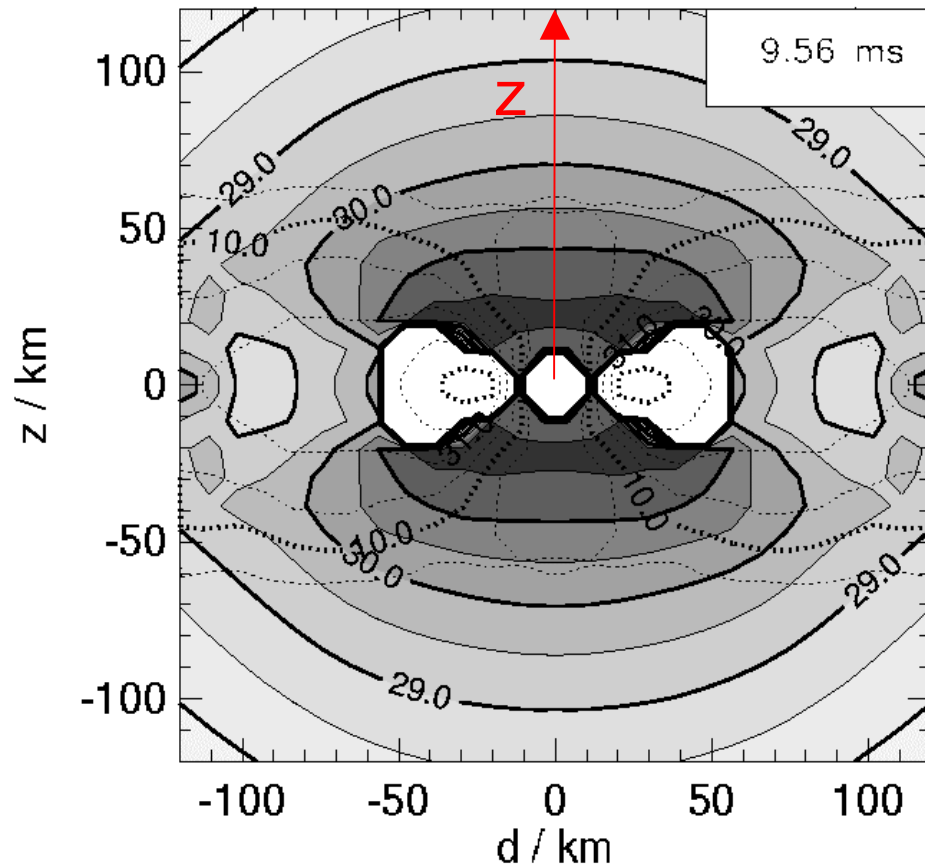


## modeling the energy release

Guided by previous results of Janka, Ruffert et al. showing that both in NS-NS mergers (Ruffert & Janka 1999) and in BH-NS mergers (Janka et al. 1999), can be released up to  $10^{51}$  ergs above the poles of the black hole in a region that contains less than  $10^{-5} M_{\text{sun}}$  of baryonic matter. The dependence in z-distance is:

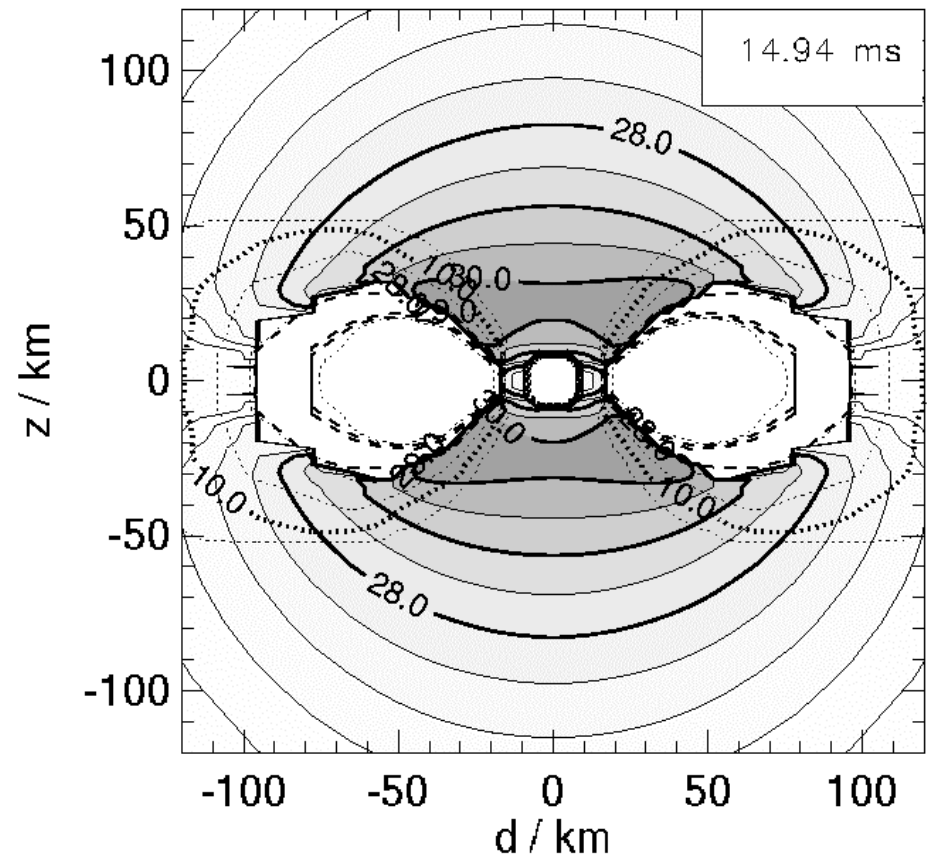
$$q(z) = q_0 / z^n; \quad z = r \sin\theta; \quad n \sim 5; \quad \theta_0 \sim [30^\circ, 75^\circ]$$

annihilation rate, C2.5



Janka et al (1999) ApJ 527 130

annihilation rate, Newt



Ruffert & Janka (1999) A&A 344 573



## models explored up to now

### - Energy deposition region:

Cone of  $30^\circ$  to  $75^\circ$  around the rotation axis that extends from  $R_{\min} = 1.02 - 2.05 R_s$  (innermost boundary) to infinity

### - Grids: r (log spaced) x $\theta$ (uniform)

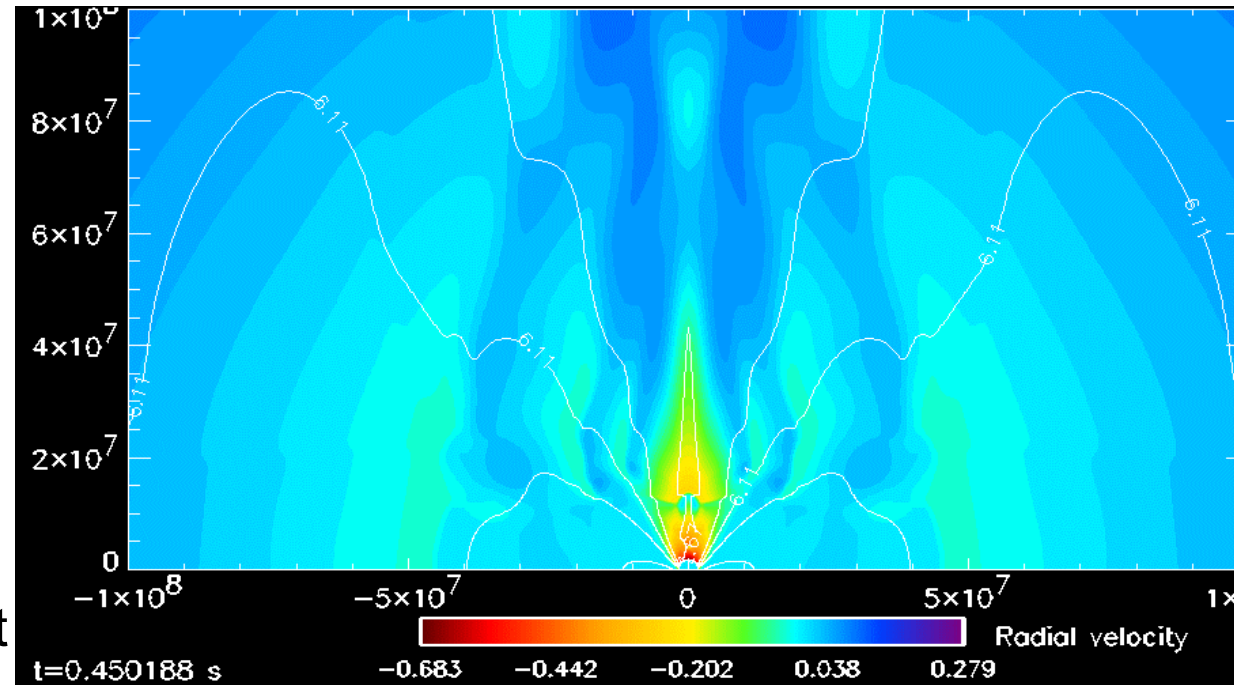
Type A: 460 x 200 zones.  $R_{\max} = 3 \times 10^9$  cm

Type B: 500 x 200 zones.  $R_{\max} = 2 \times 10^{10}$  cm

Model	$\dot{E}$	$\theta_0$	$v_p [c]$	$\Gamma_{max}$	$\theta_w$	$M_f$ [gr]
A01	$10^{49}$	$30^\circ$	(0.67)0.62	(17.67)17.87	$(< 1^\circ) < 1^\circ$	$3.6 \cdot 10^{25}$
A02	$2 \cdot 10^{50}$	$30^\circ$	(0.63)0.63	(81.10)231.81	$(11.3^\circ)6^\circ$	$2.2 \cdot 10^{27}$
A03	$2 \cdot 10^{50}$	$45^\circ$	(0.80)0.67	(10.89)26.71	$(9.5^\circ)2.9^\circ$	$2.4 \cdot 10^{27}$
A04	$2 \cdot 10^{50}$	$75^\circ$	(0.67)—	(6.97)—	$(8.5^\circ) —$	-
A05	$10^{51}$	$30^\circ$	(0.99)0.82	(84.00)562.25	$(15.0^\circ)15^\circ$	$9.7 \cdot 10^{27}$
A06	$10^{51}$	$45^\circ$	(0.97)—	(79.61)—	$(15.8^\circ) —$	-
A07	$10^{51}$	$75^\circ$	(0.90)0.60	(12.97)37.36	$(12.5^\circ)8.13^\circ$	$7.4 \cdot 10^{27}$
A08	$10^{50}$	$31.4^\circ$	(0.83)0.70	(19.80)19.99	$(3.8^\circ)2.9^\circ$	$3.0 \cdot 10^{26}$
A09	$5 \cdot 10^{51}$	$30^\circ$	(0.70)0.97	(90.74)748.06	$(23^\circ)26^\circ$	$4.0 \cdot 10^{28}$
B01	$2 \cdot 10^{50}$	$45^\circ$	(0.97)0.999999	(27.49)509.03	$(24^\circ)22^\circ$	$3.1 \cdot 10^{26}$
B02	$2 \cdot 10^{50}$	$60^\circ$	(0.999)0.999996	(52.32)420.57	$(24^\circ)19^\circ$	$2.2 \cdot 10^{27}$
B03	$2 \cdot 10^{50}$	$75^\circ$	(0.999)0.99990	(129.57)493.03	$(25^\circ)19^\circ$	$2.6 \cdot 10^{28}$
B04	$10^{49}$	$45^\circ$	(0.95)0.99988	(42.56)333.58	$(26^\circ)20^\circ$	$2.4 \cdot 10^{25}$
B05	$10^{51}$	$45^\circ$	(0.99)0.999997	(70.68)632.26	$(33^\circ)27^\circ$	$1.3 \cdot 10^{27}$

## Results

- $P_{\text{thr}} \sim 10^{48-49} \text{ erg/s}$ :
  - \* in the initial model matter falls in through the axis of rotation ( $v_{\text{in}} \sim 0.6c - 0.97c$ )
  - \* model dependent but the feature may be generic
  - \* our threshold is probably higher than in real mergers (type-A) or maybe irrelevant in type-B models.



- All the successful models produce relativistic *collimated* outflows:
  - $\Rightarrow$  initially the disk provides the collimation via cocoon/disk interaction, i.e., the opening angle of the beam is set by the torus inclination.
    - pure hydrodynamic collimation (no need for B- fields).
  - \* For low  $dE/dt \Rightarrow$  jet injection conditions are set after  $\sim 0.5-1 \text{ ms}$  (torus crossing time) with  $\square_b \sim 3-5$ .

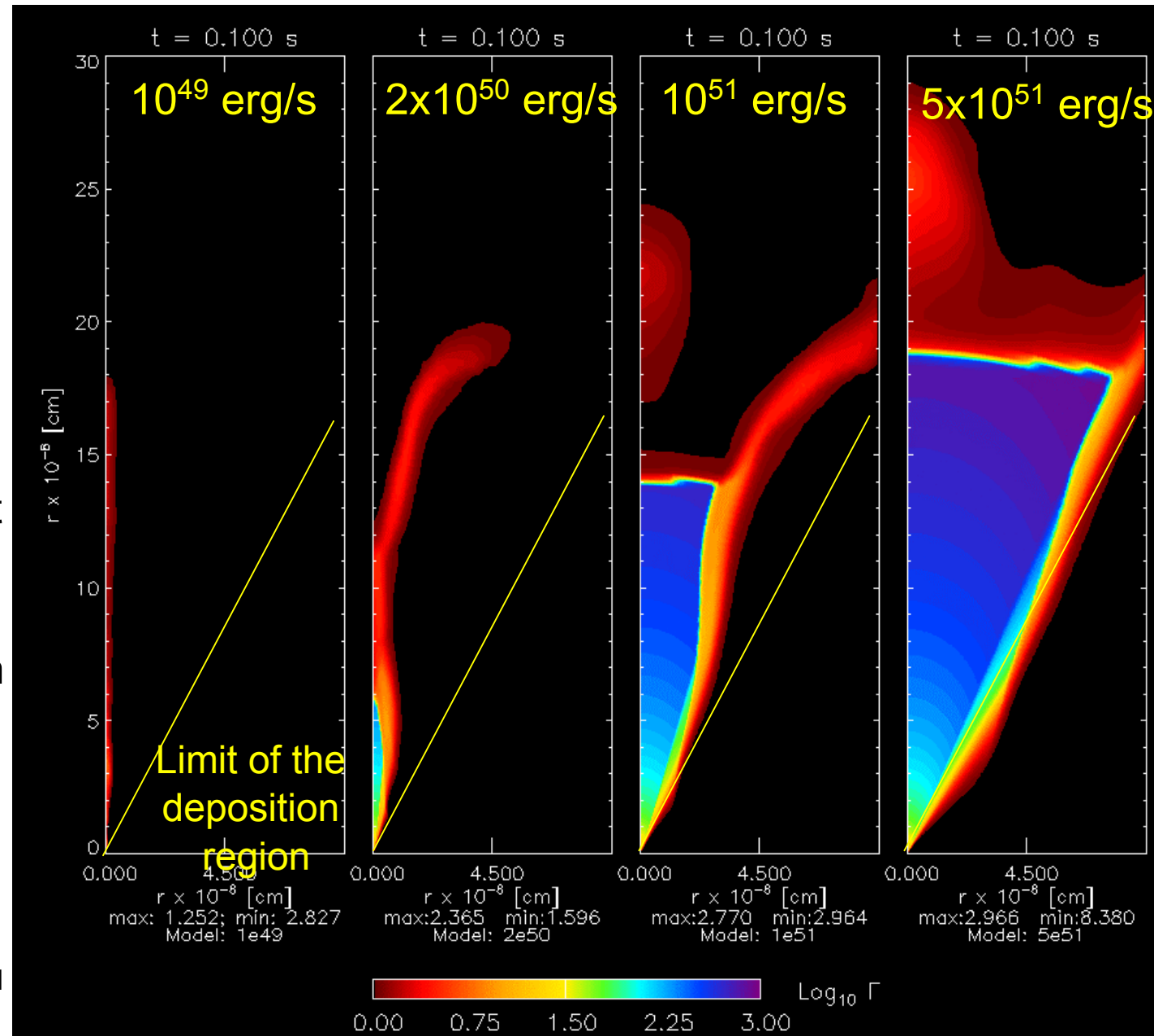
## Results

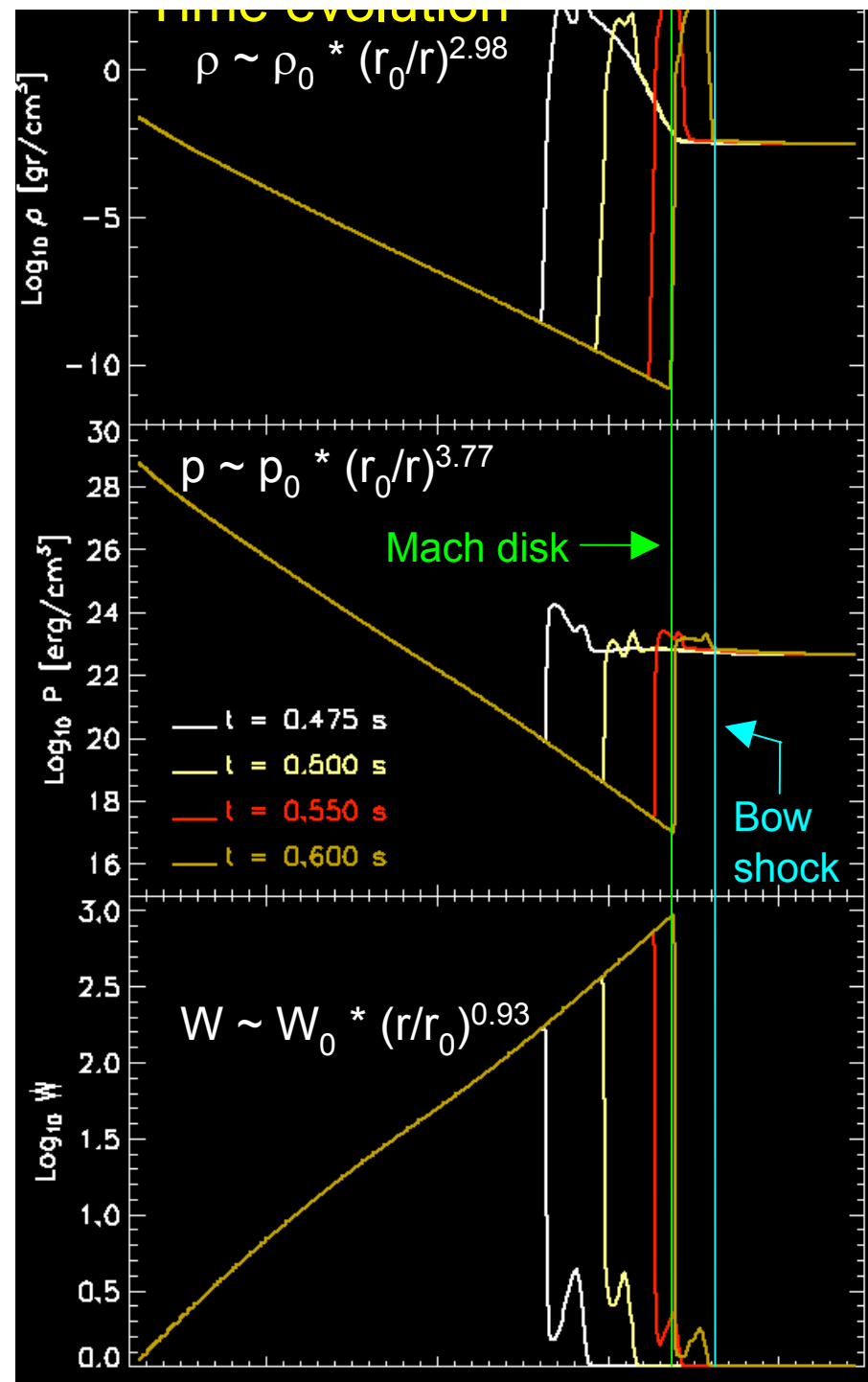
### Type A

**Morphology:** For  $P > P_{\text{thr}} \sim 10^{49}$  erg/s the outflows are either knotty, narrow, relativistic jets ( $P < 10^{51}$  erg/s) or conical, smooth, wide angle, ultrarelativistic winds ( $P > 10^{51}$  erg/s).

**Outflow open. half-angle:** It is determined by the high density external medium (low  $P$ ) or by the inclination angle of the side walls of the torus (large  $P$ ).

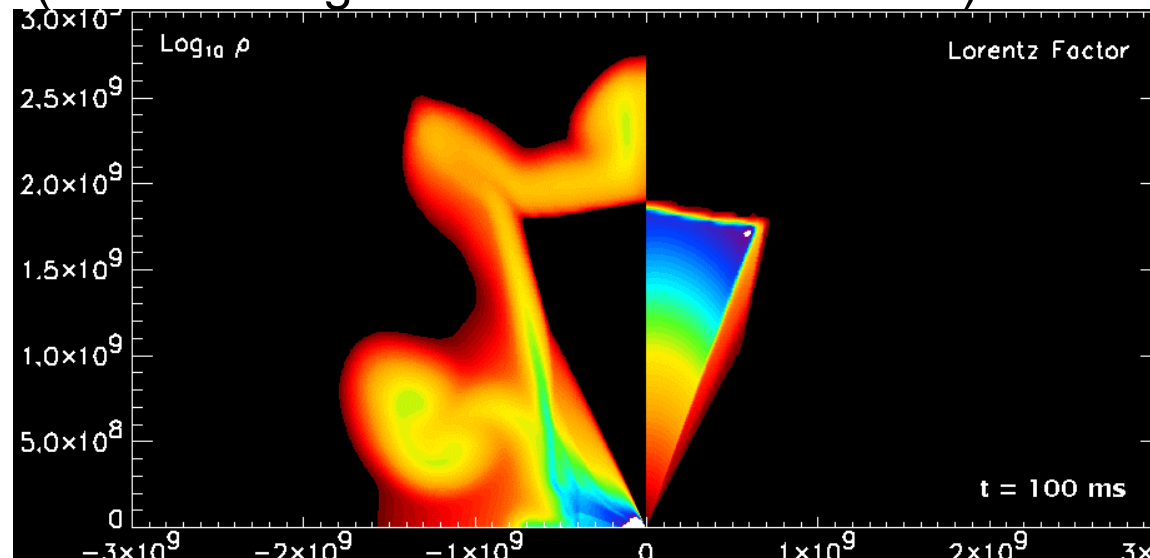
**Propagation speed:** between  $\sim 0.6c$  ( $P < 10^{51}$  erg/s) and  $\sim 0.97c$  ( $P > 10^{51}$  erg/s)

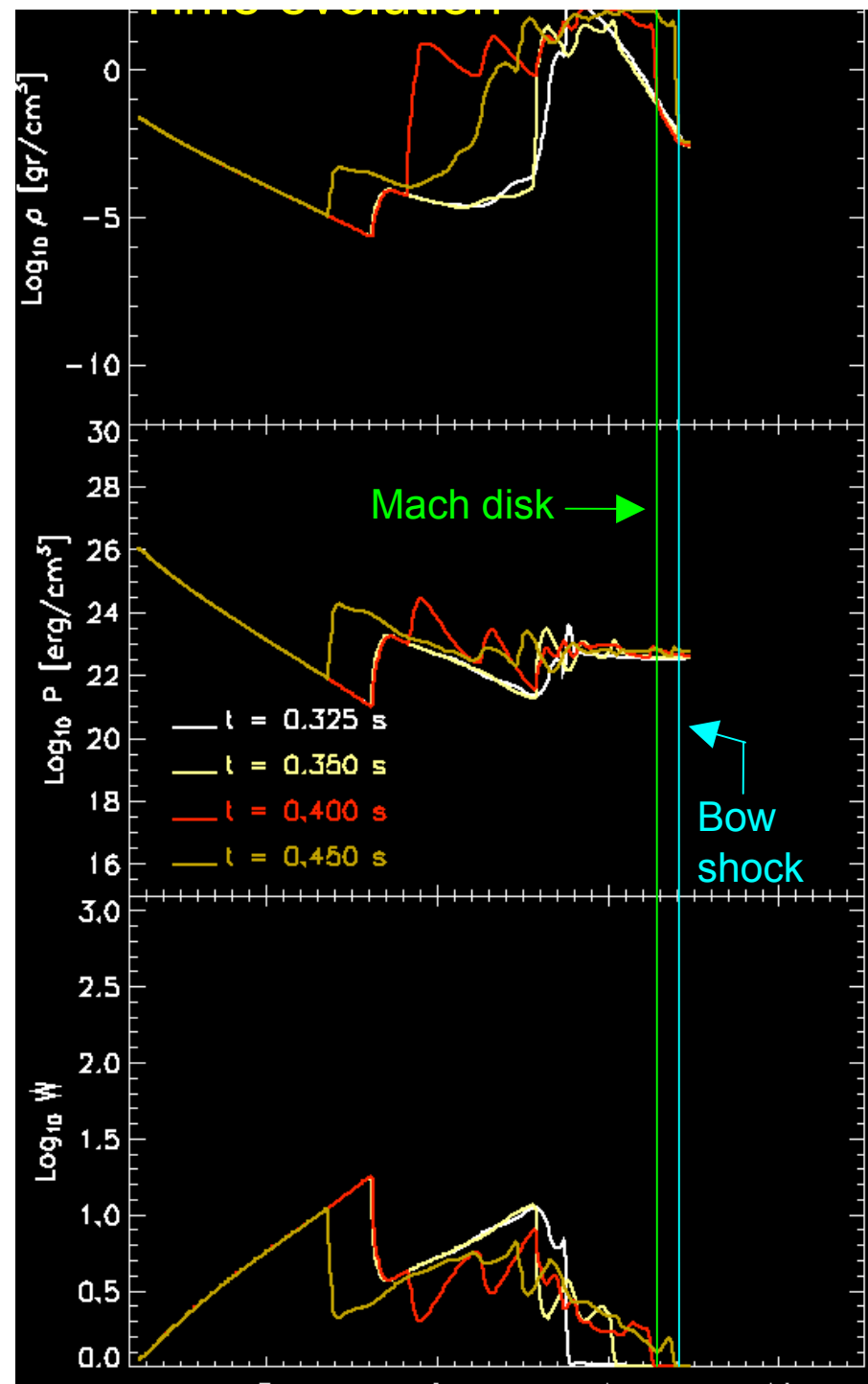




opening angle  $\sim 26^\circ$ ; beaming angle  $\sim 1/\Gamma \sim 0.1^\circ$

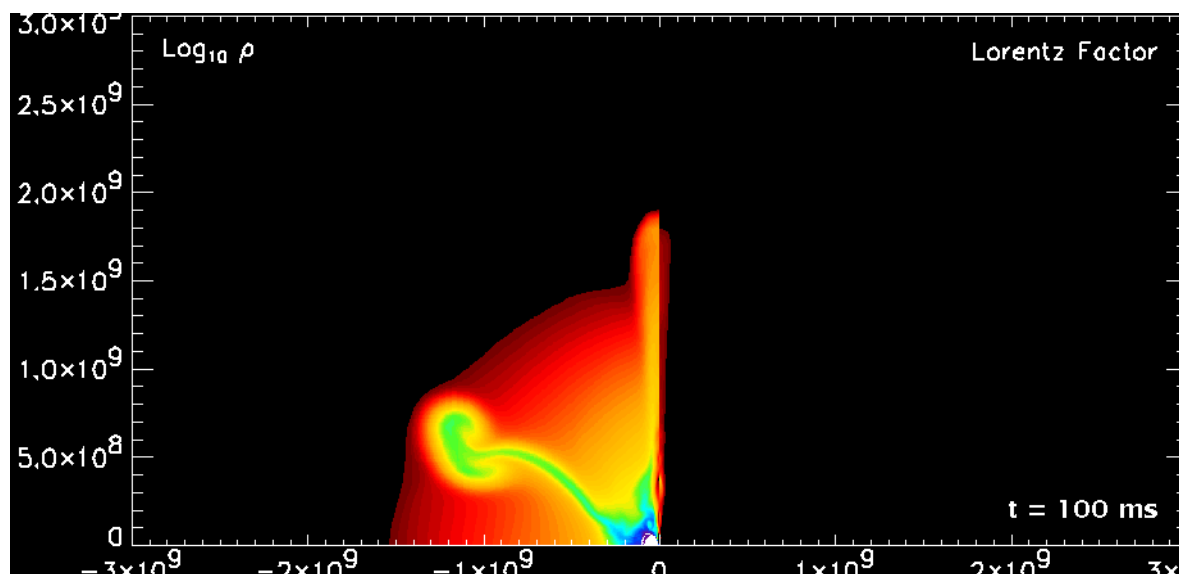
- \* The *beam* itself has a length  $\sim 65\%$  of the jet.
  - The distance from the Mach disc to the bow shock grows almost selfsimilarly.
- \* No internal structure:
  - consequence of the constant high  $dE/dt$  (but it doesn't happen for low  $dE/dt$ !)
  - correspond to a relativistic conical wind with adiabatic index  $\sim 1.6$  (Levinson & Eichler 2000).
- \* After 150 ms there is **no sign of  $\Gamma$  saturation** ( $\Gamma$  increasing while the source is active)





opening angle  $\sim 2^\circ$  ; beaming angle  $\sim 1/\Gamma \sim 5^\circ$

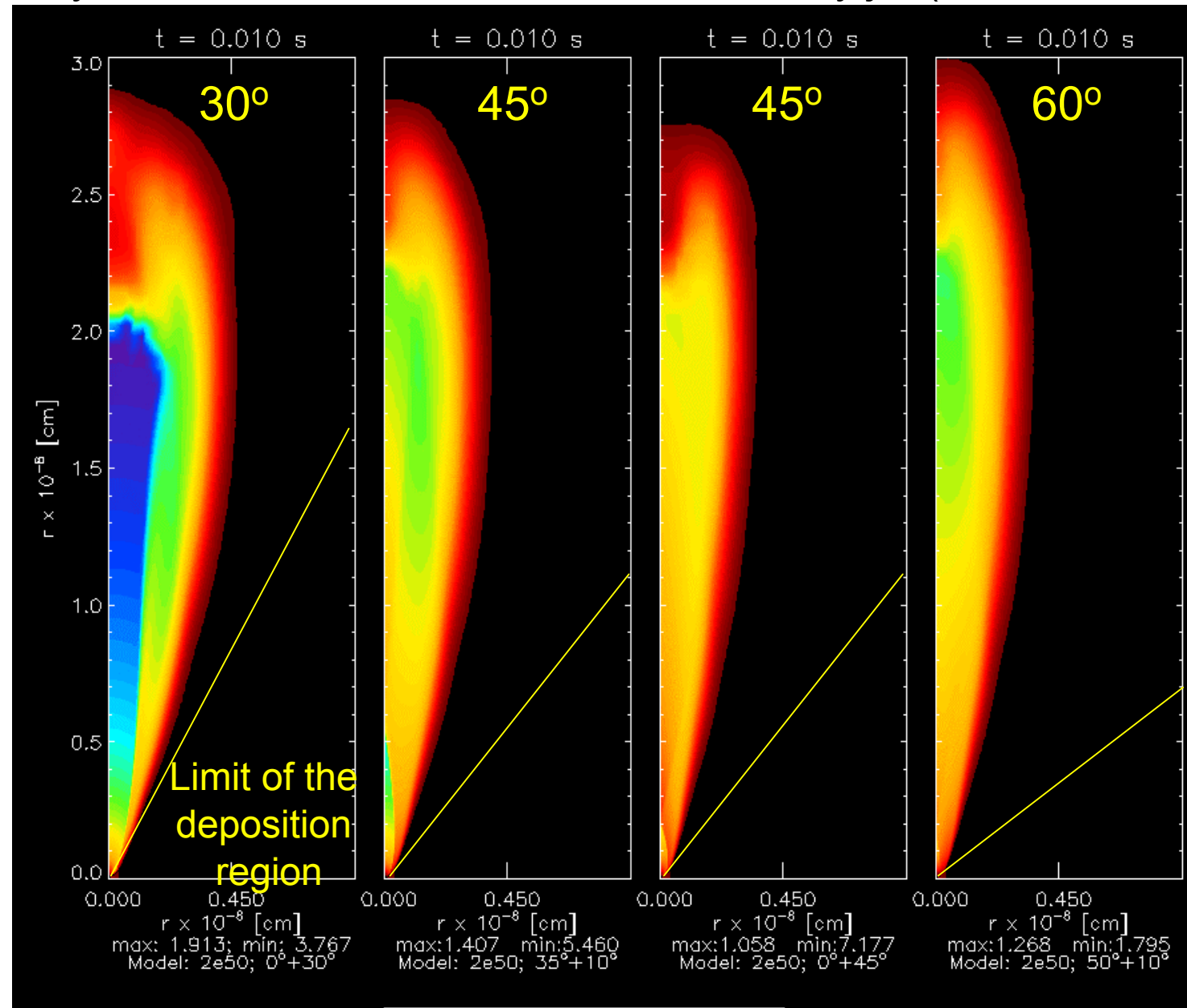
- \* The **beam** has a length  $\sim 90\%$  of the jet.
  - The distance from the Mach disk to the bow shock grows almost self-similarly.
- \* A lot of internal structure (knotty jet):
  - **consequence of the  $P$  close to the threshold but also due to KH-instabilities**
  - the final outcome won't be a short GRB, observational signature?
- \* After 150 ms there  $\Gamma$  **saturates  $\sim 15$**



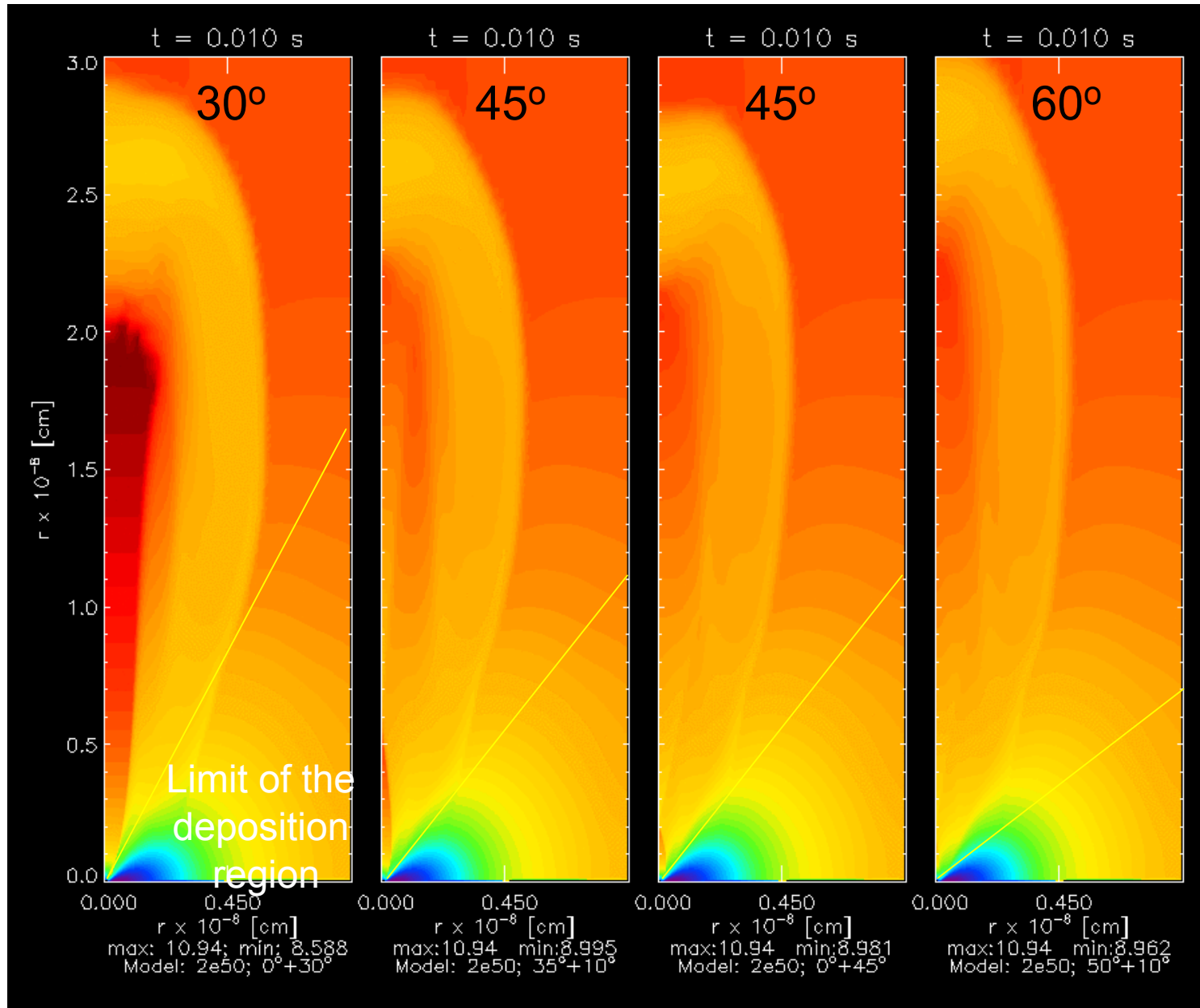


Type A. Dependence with  $\square_0$ : Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:

- 1.- less energy density  $\Rightarrow$  transition from smooth wind to knotty jet (even at early times).

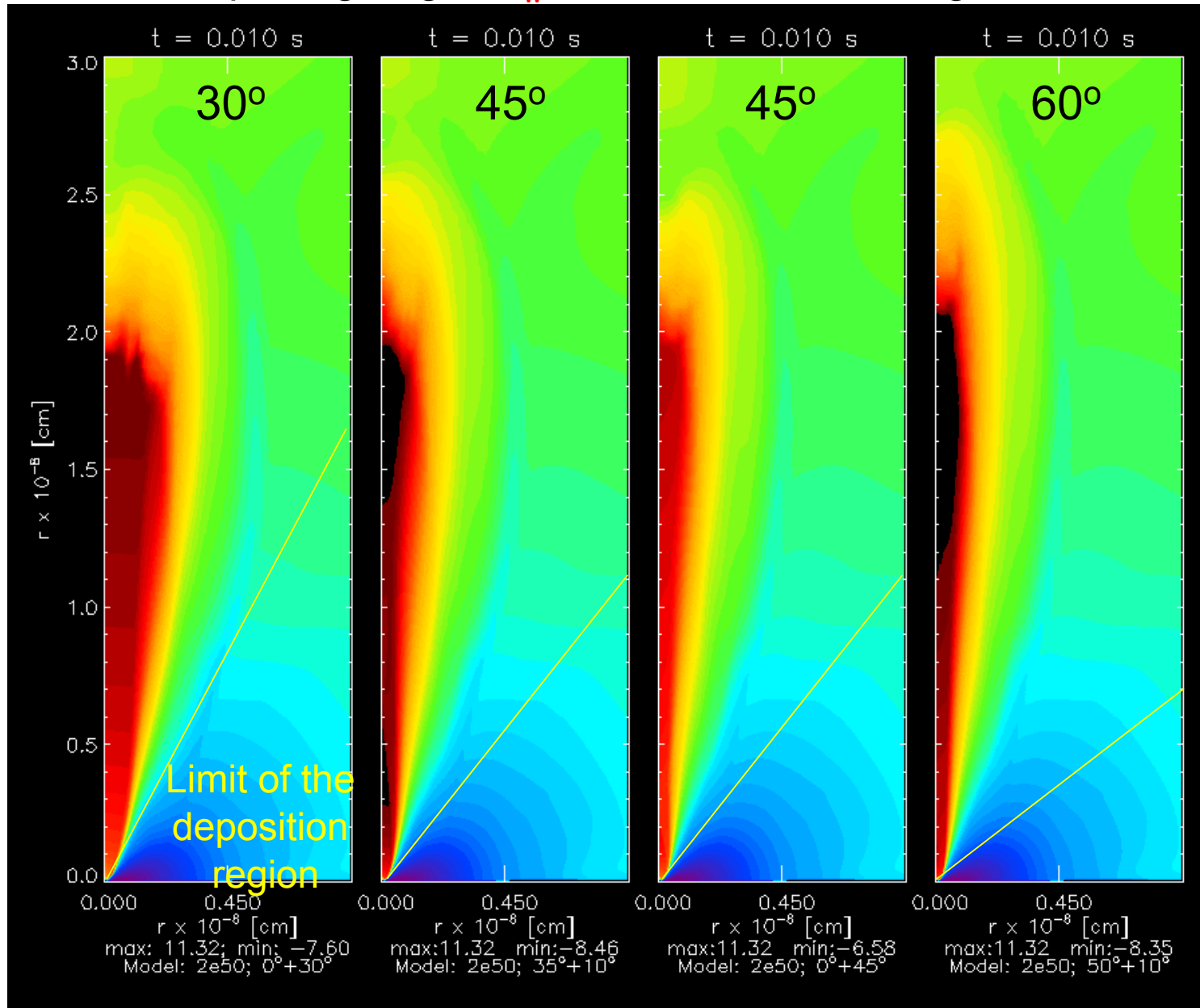


**Type A. Dependence with  $\square_0$ :** Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:  
 2.- larger torus overlap of the deposition region  $\Rightarrow$  increase of T and e.



Type A. Dependence with  $\square_0$ : Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:

3.- similar flow opening angle  $\square_w \sim 10^\circ - 13^\circ < \text{torus angle}$

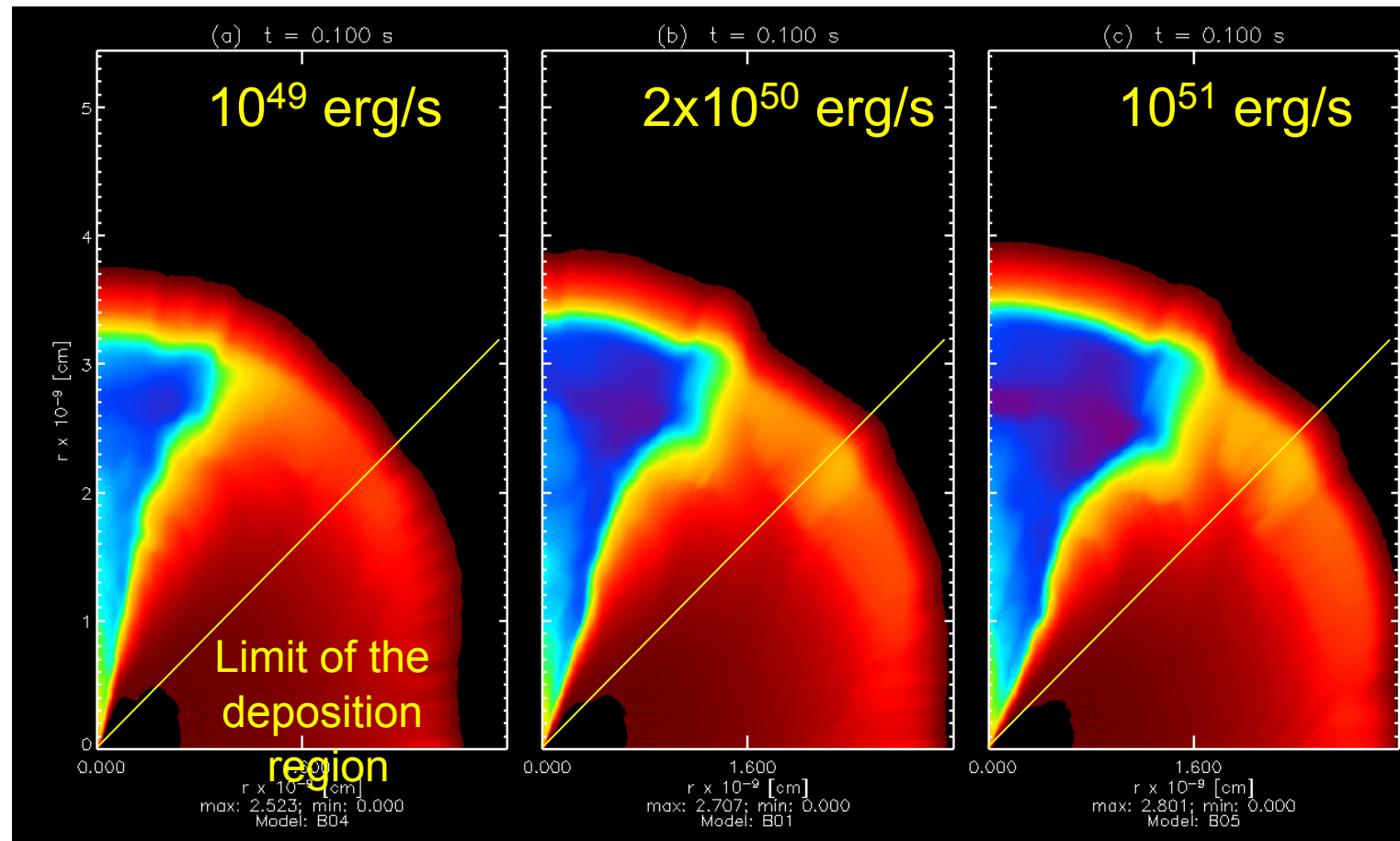


## Type B

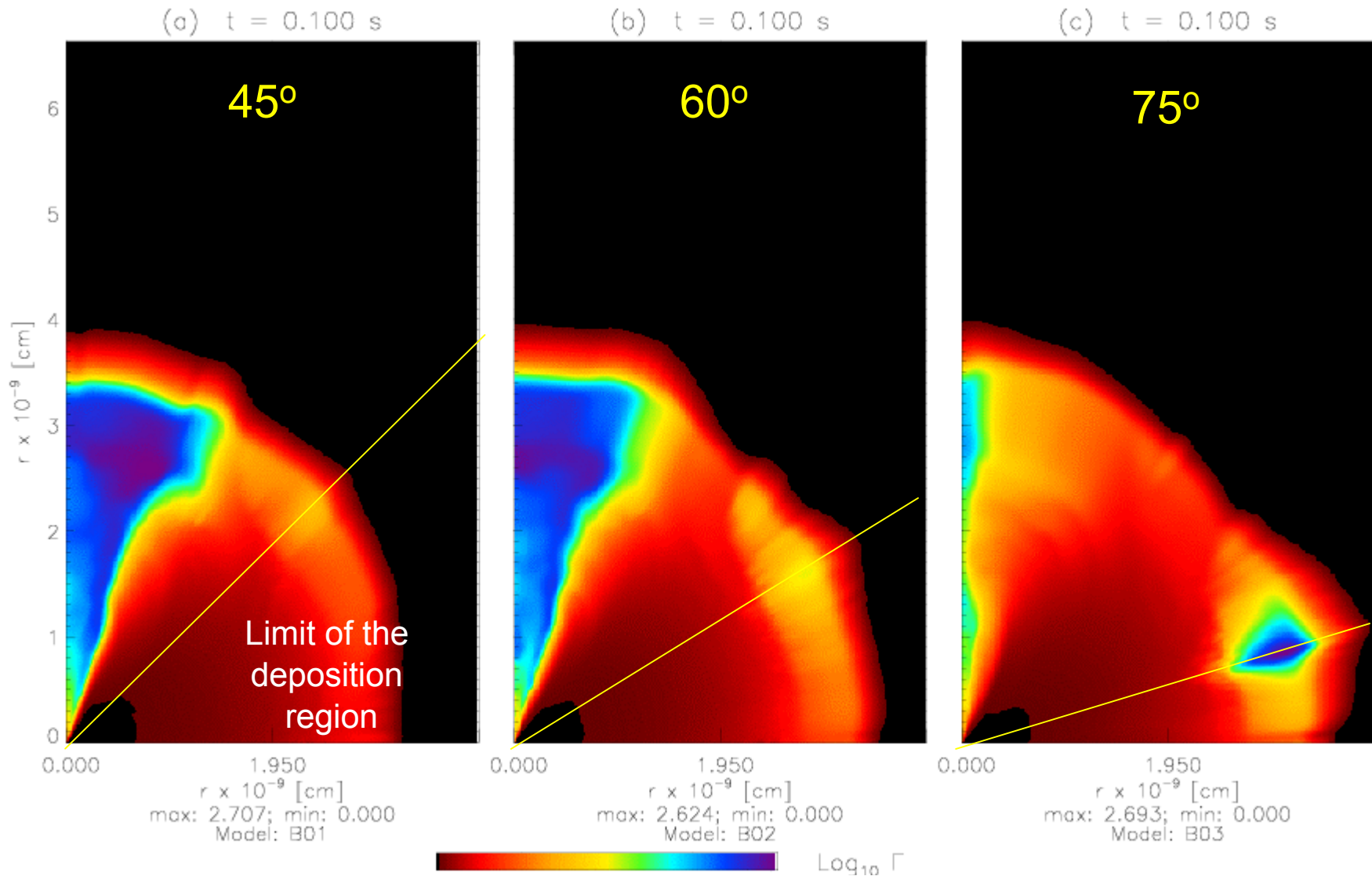
**Morphology:** For  $P > P_{\text{thr}} \sim 10^{48}$  erg/s the outflows are always conical, wide angle, ultrarelativistic jets.

**Outflow opening half-angle:**  $\sim 20^\circ$  to  $25^\circ$ . It is determined by the inclination angle of the side walls of the torus (large  $P$ ).

**Propagation speed:**  
larger than  $\sim 0.9999c$



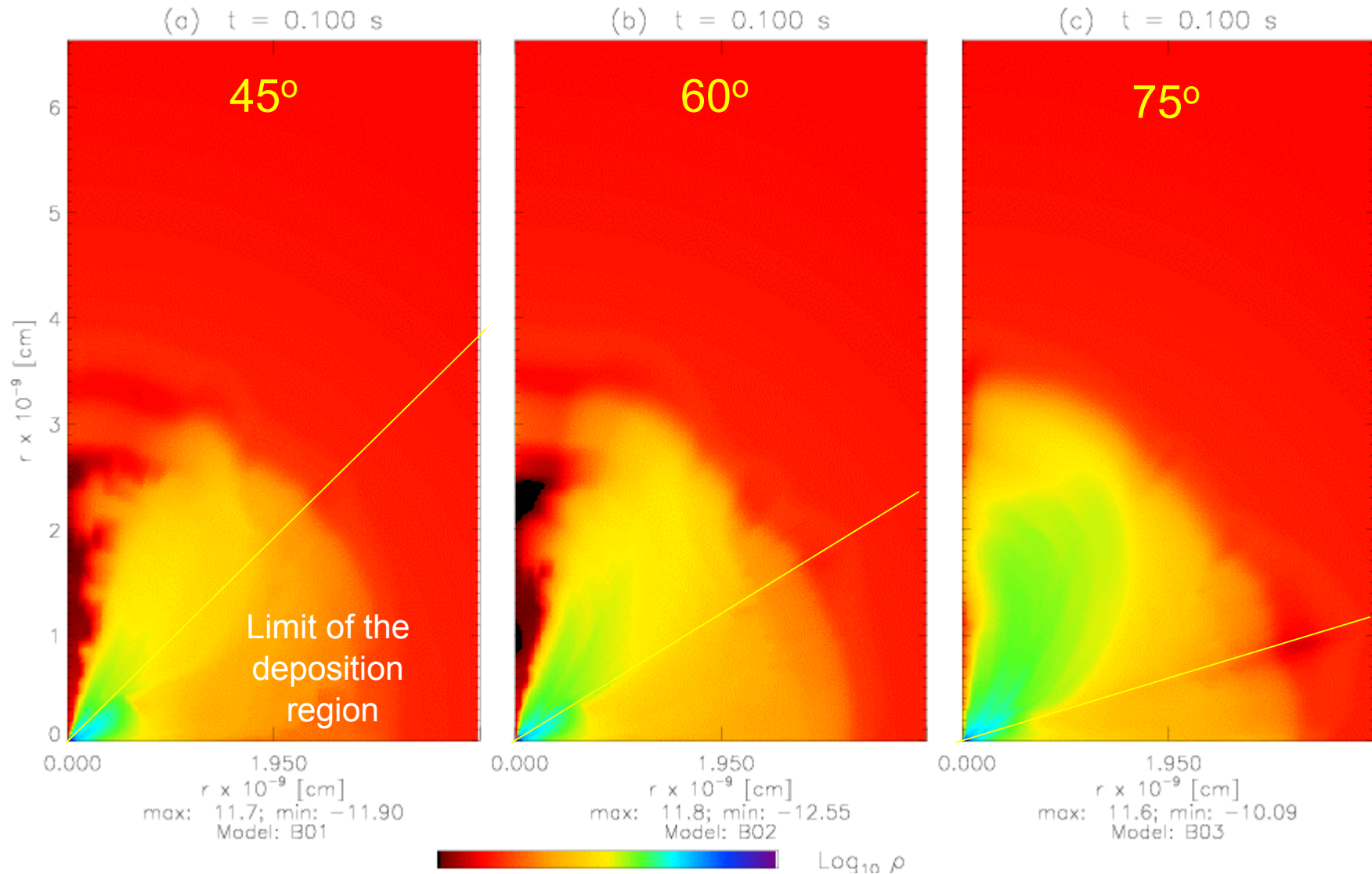
**Type B. Dependence with  $\square_0$ :** Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:  
 1.- less energy density  $\Rightarrow$  transition from non-smooth wind to knotty jet.





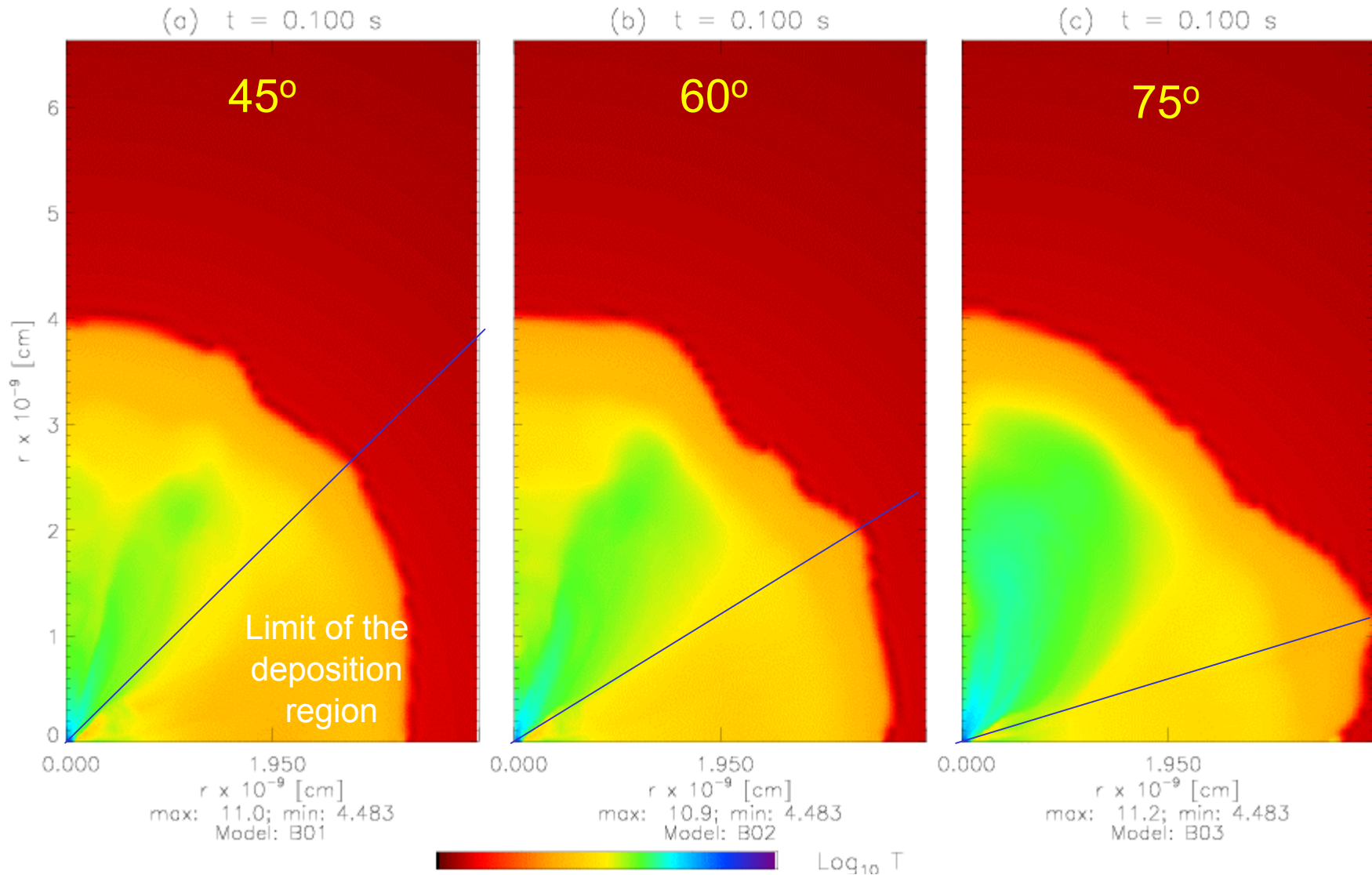
**Type B. Dependence with  $\square_0$ :** Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:

- 1.- less energy density  $\Rightarrow$  transition from non-smooth wind to knotty jet.
- 2.- larger torus overlap of the deposition region  $\Rightarrow$  increase of density and T.



**Type B. Dependence with  $\square_0$ :** Increasing  $\square_0$  while keeping  $P=2 \times 10^{50}$  erg/s:

- 1.- less energy density  $\Rightarrow$  transition from non-smooth wind to knotty jet.
- 2.- larger torus overlap of the deposition region  $\Rightarrow$  increase of density and T.
- 3.- larger asymmetry of the bubble  $\Rightarrow$  equatorial outflow!



## Switch off evolution

The typical time scale in which the merging of SCBs may release energy is of some fractions of a second.

We have switched off the energy deposition after  $T_a = 0.1\text{s}$  and followed the subsequent evolution of two models: one of type-A ( $P = 5 \times 10^{51} \text{ erg/s}$  in  $\theta_0 = 30^\circ$ ) and another of type-B ( $P = 2 \times 10^{50} \text{ erg/s}$  in  $\theta_0 = 45^\circ$ ).

A condition to produce a successful GRB is:  $V_{\text{rear}} \leq V_{\text{front}}$  (a)

### Type A

**Unsuccessful GRB:** Condition (a) does not hold because the environment is too dense and the front shock of the fireball decelerates.

### Type B

**May produce a successful GRB:** Condition (a) is  $V_{\text{rear}} < V_{\text{front}}$  in this case. Thus, the fireball stretches radially and, it can produce events with durations of several seconds, i.e.,  $T_a \ll \theta T_{\text{obs}}$ .

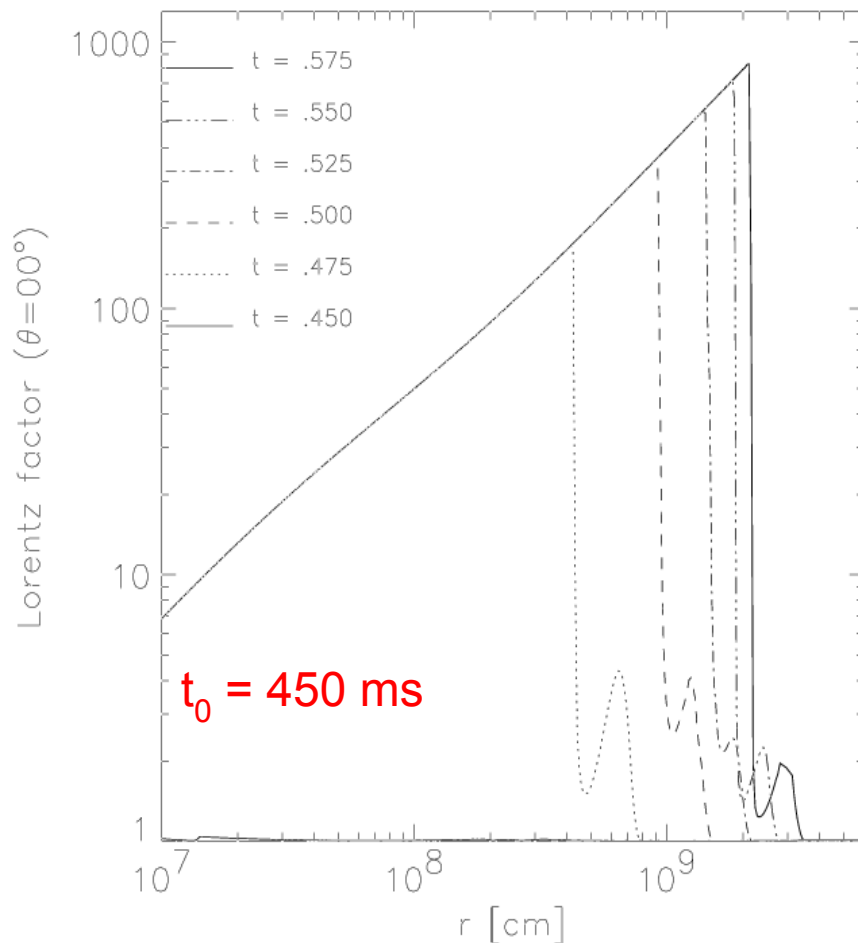
## POST-SWITCH-OFF EVOLUTION. Type-A

- For  $dE/dt = 5 \times 10^{51}$  erg/s the Lorentz factor grows up to  $\sim 1000$  in 100 ms.

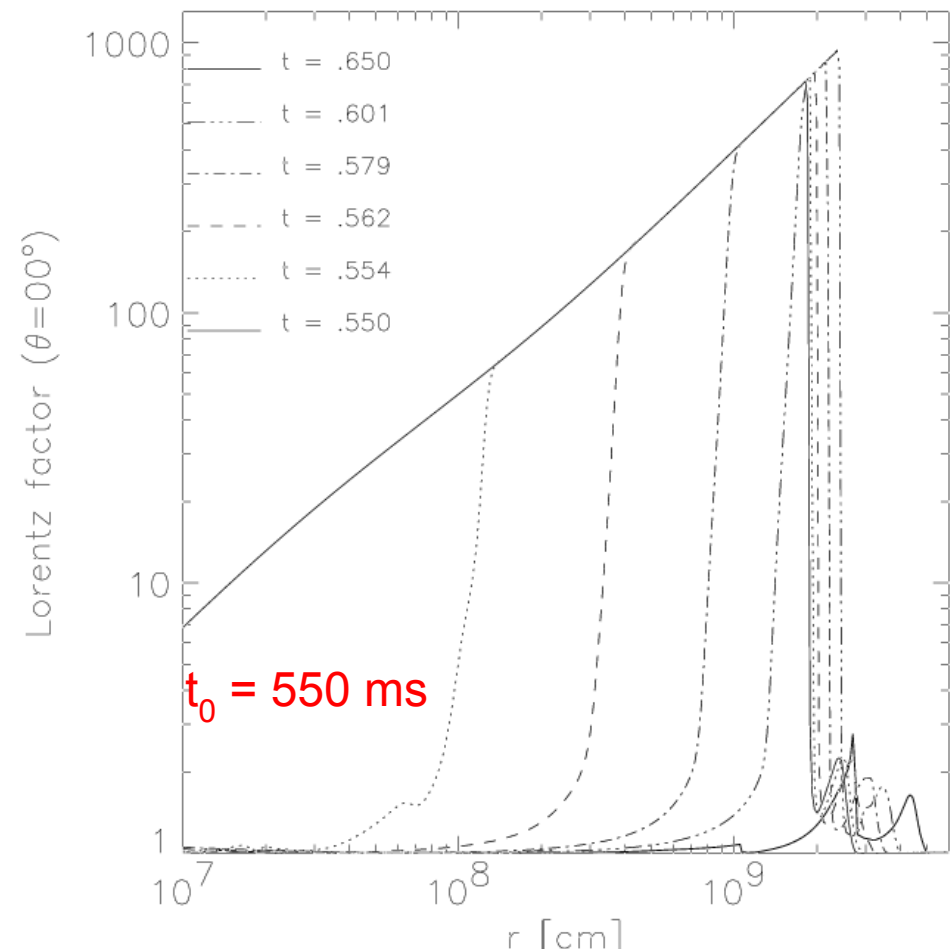
BUT:

- Switching off the energy release after 100 ms leads to an **unsuccessful GRB!**.

$P = 5 \times 10^{51}$  erg/s

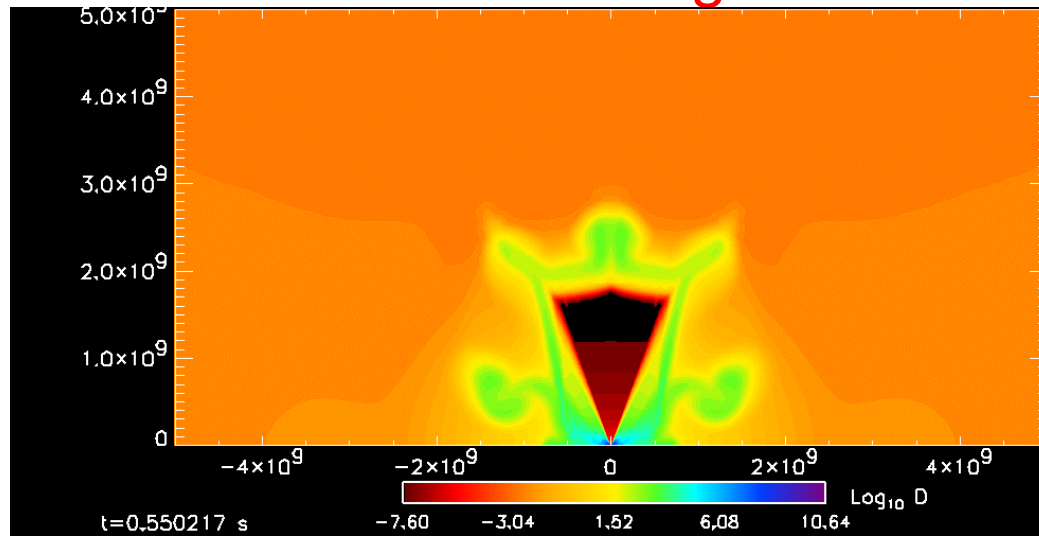


$P = 0$  (switched off)

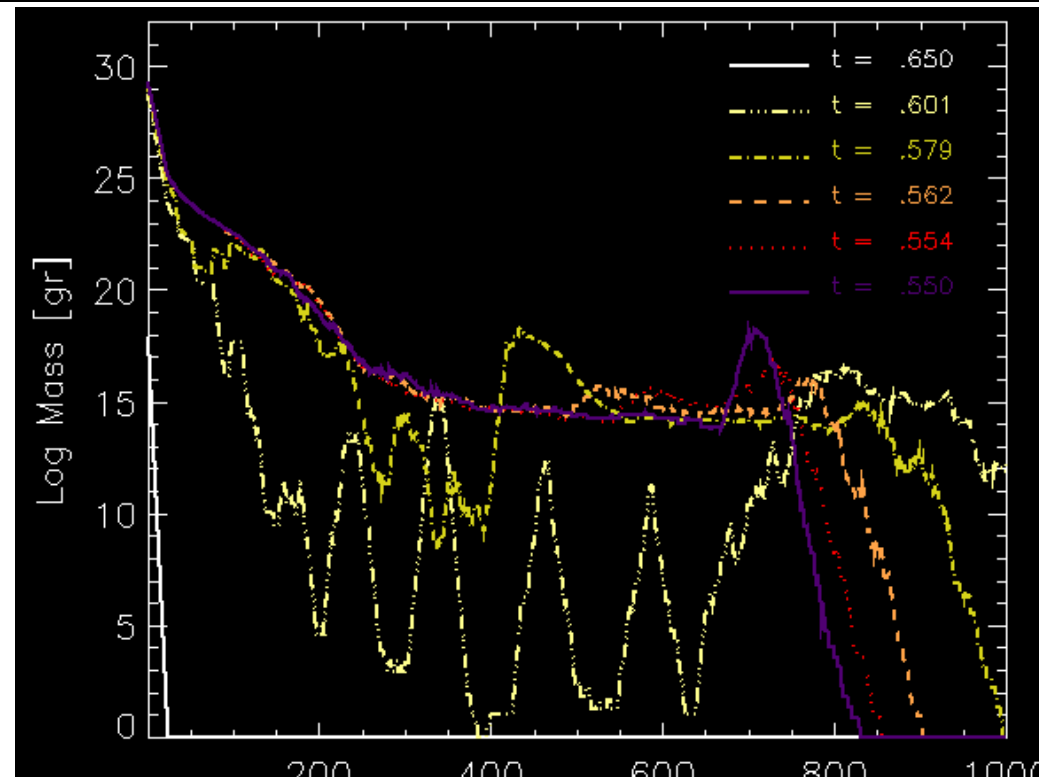
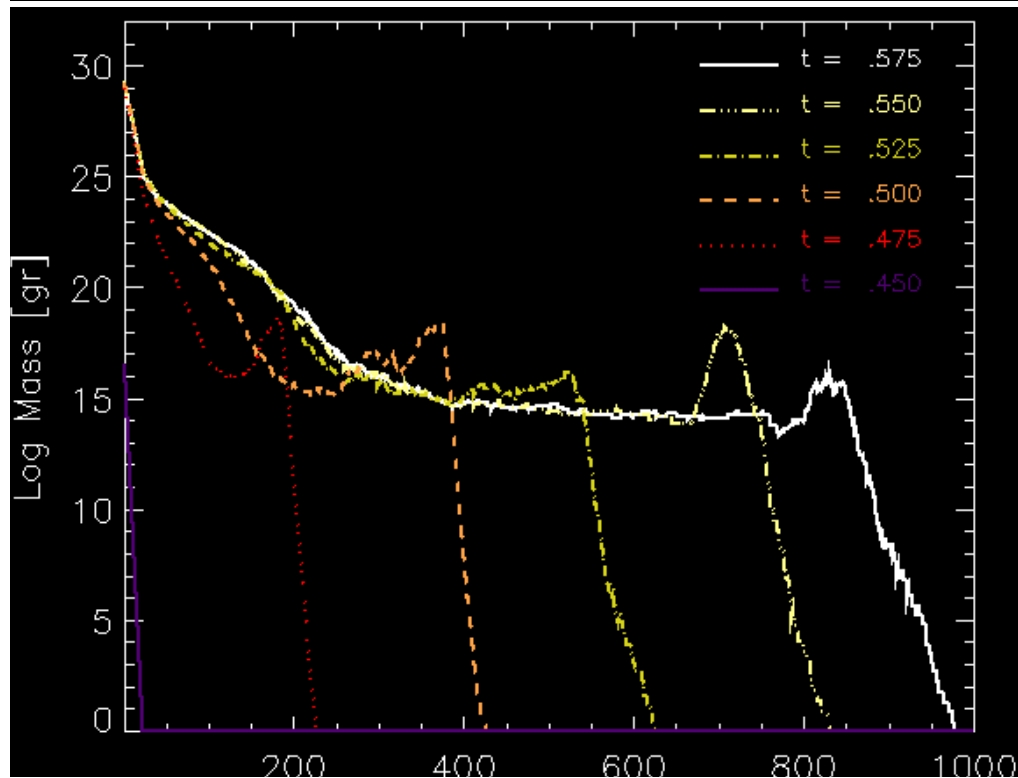
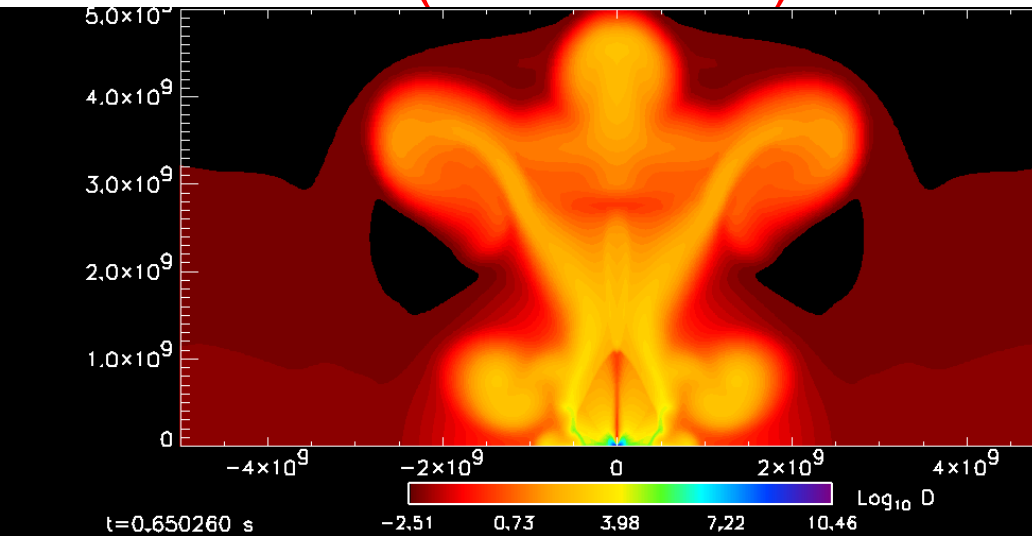


# POST-SWITCH-ON EVOLUTION: Type-A

$P = 5 \times 10^{51} \text{ erg/s}$



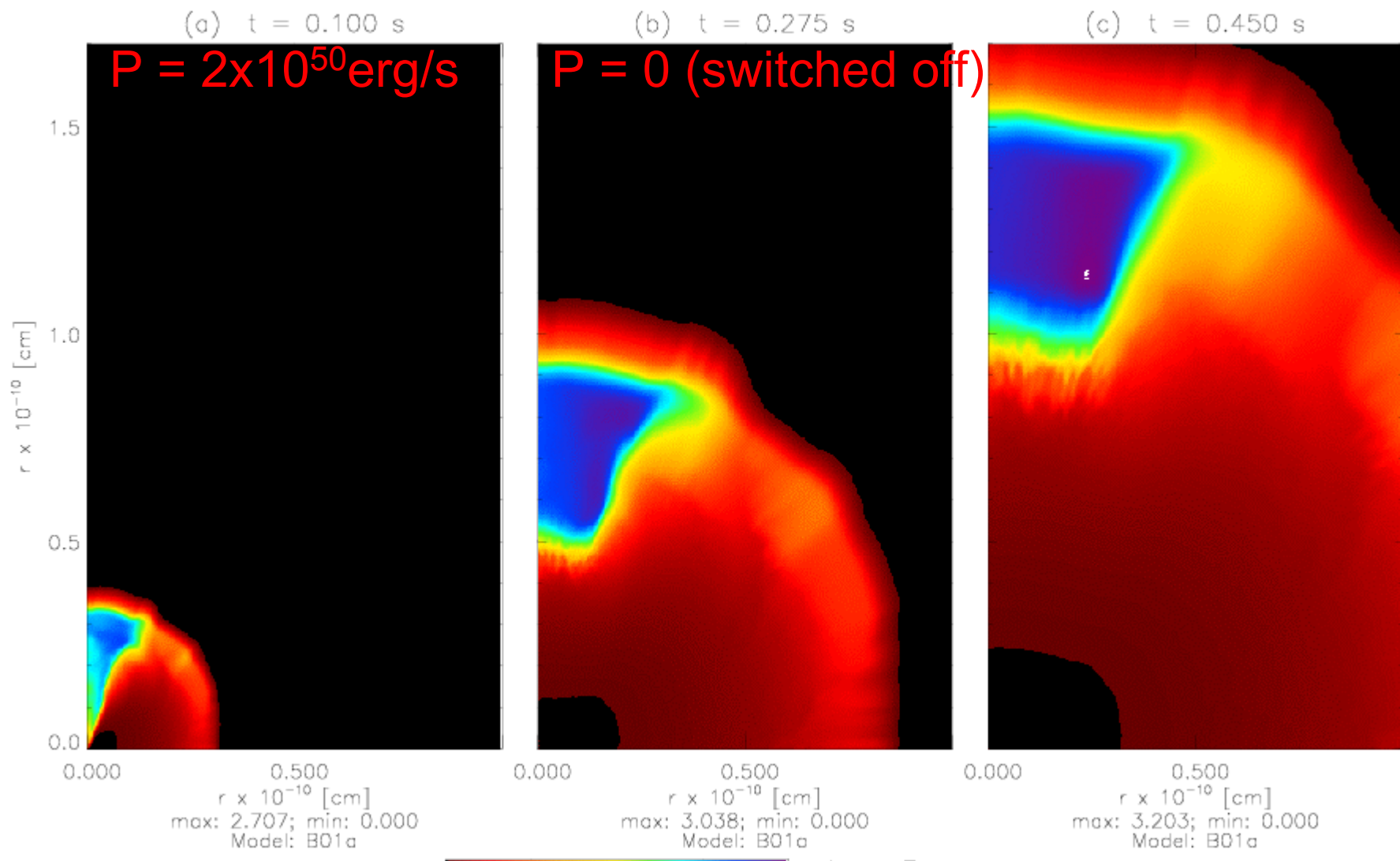
$P = 0$  (switched off)





## POST-SWITCH-OFF EVOLUTION. Type-D

- ❖ For  $P = 2 \times 10^{50}$  erg/s the Lorentz factor grows up to  $\sim 1000$  in 100 ms.
- ❖ Switching off the energy release leads to an almost selfsimilar growth  
 $\Rightarrow$  it is possible to produce a successful GRB!.

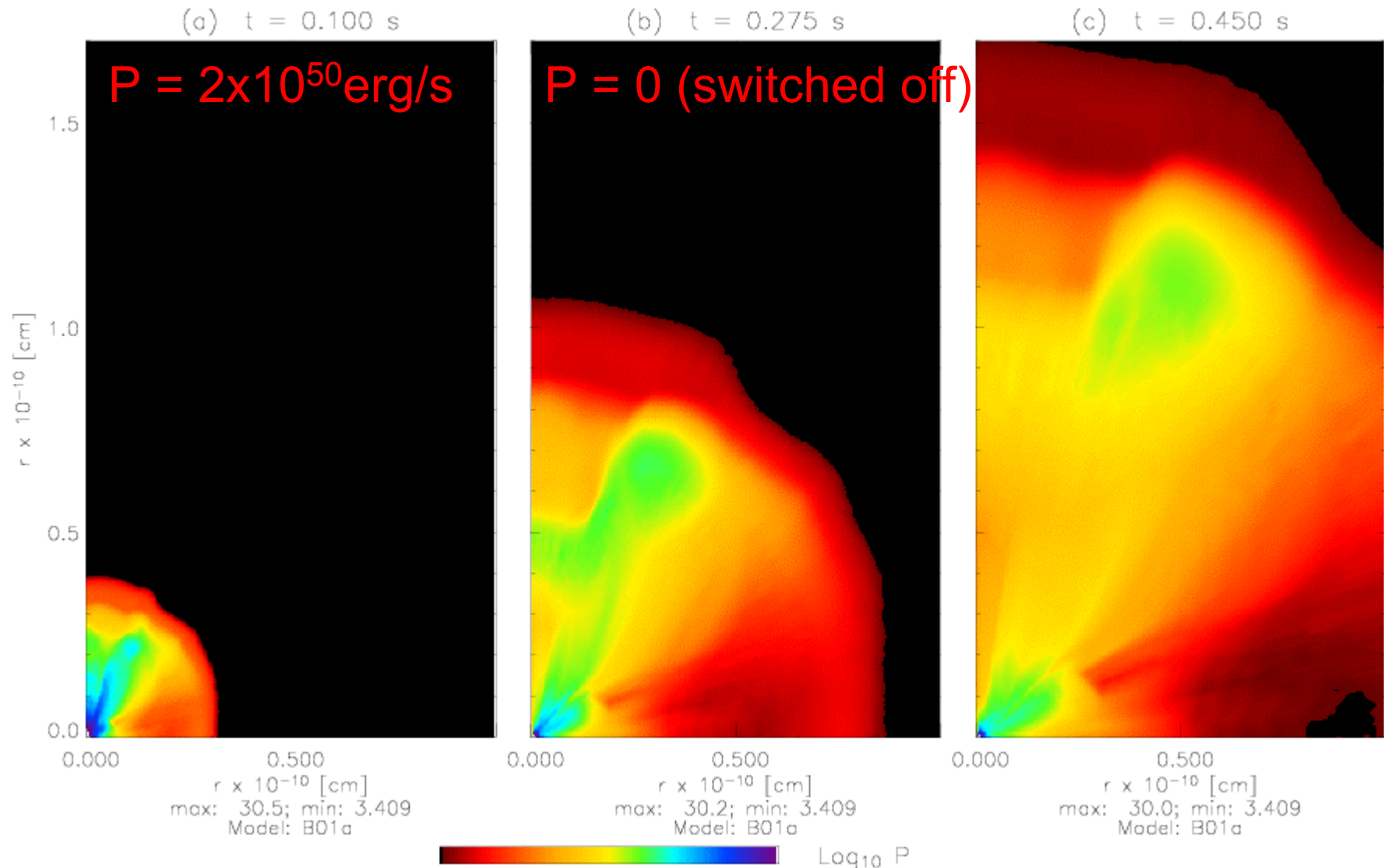


## POST-SWITCH-OFF EVOLUTION. Type-D

The fireball has a large internal energy reservoir even after  $4.5T_a$

⇒ there is still room for further acceleration

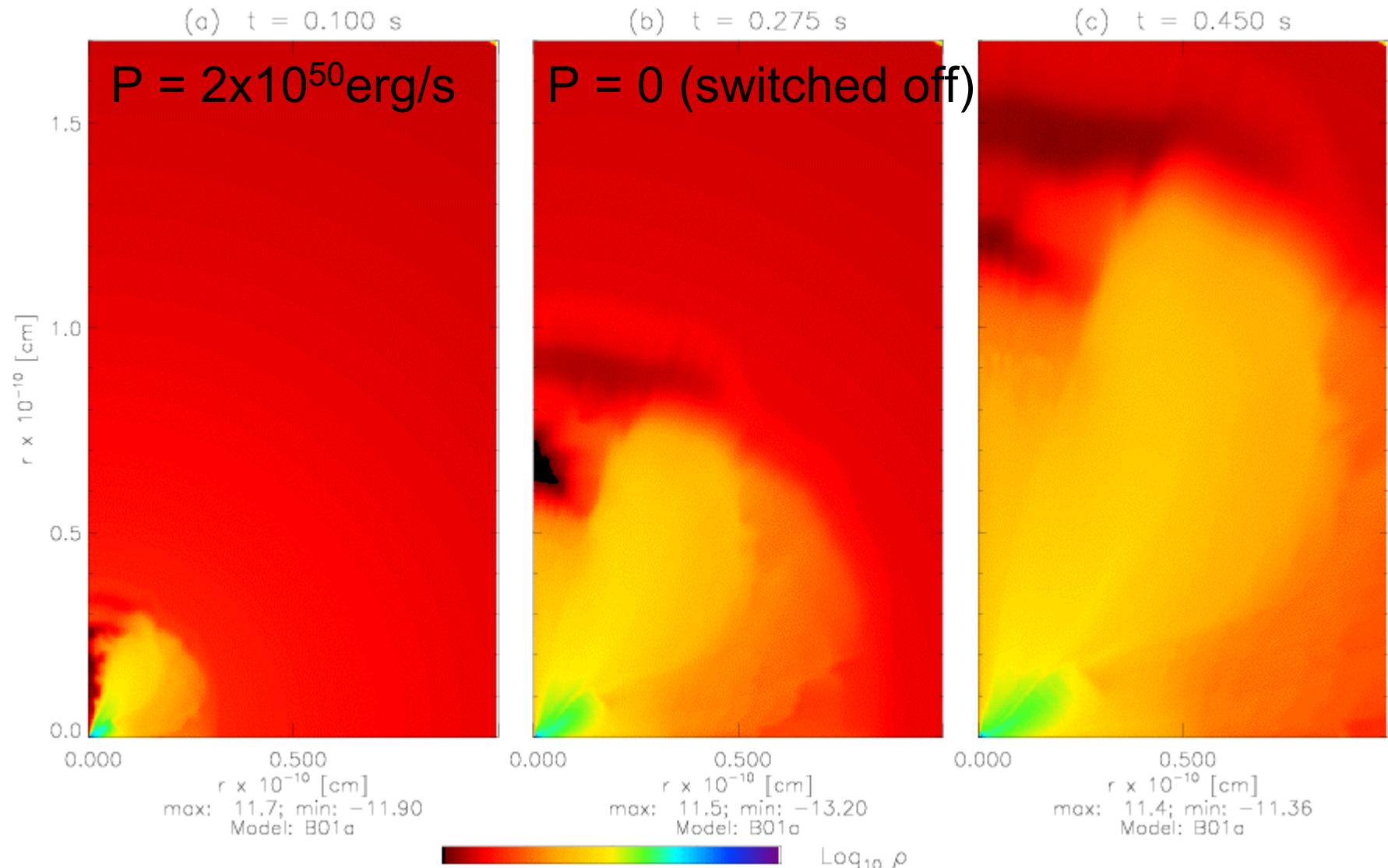
⇒ no sign of saturation



## POST-SWITCH-OFF EVOLUTION. Type-D

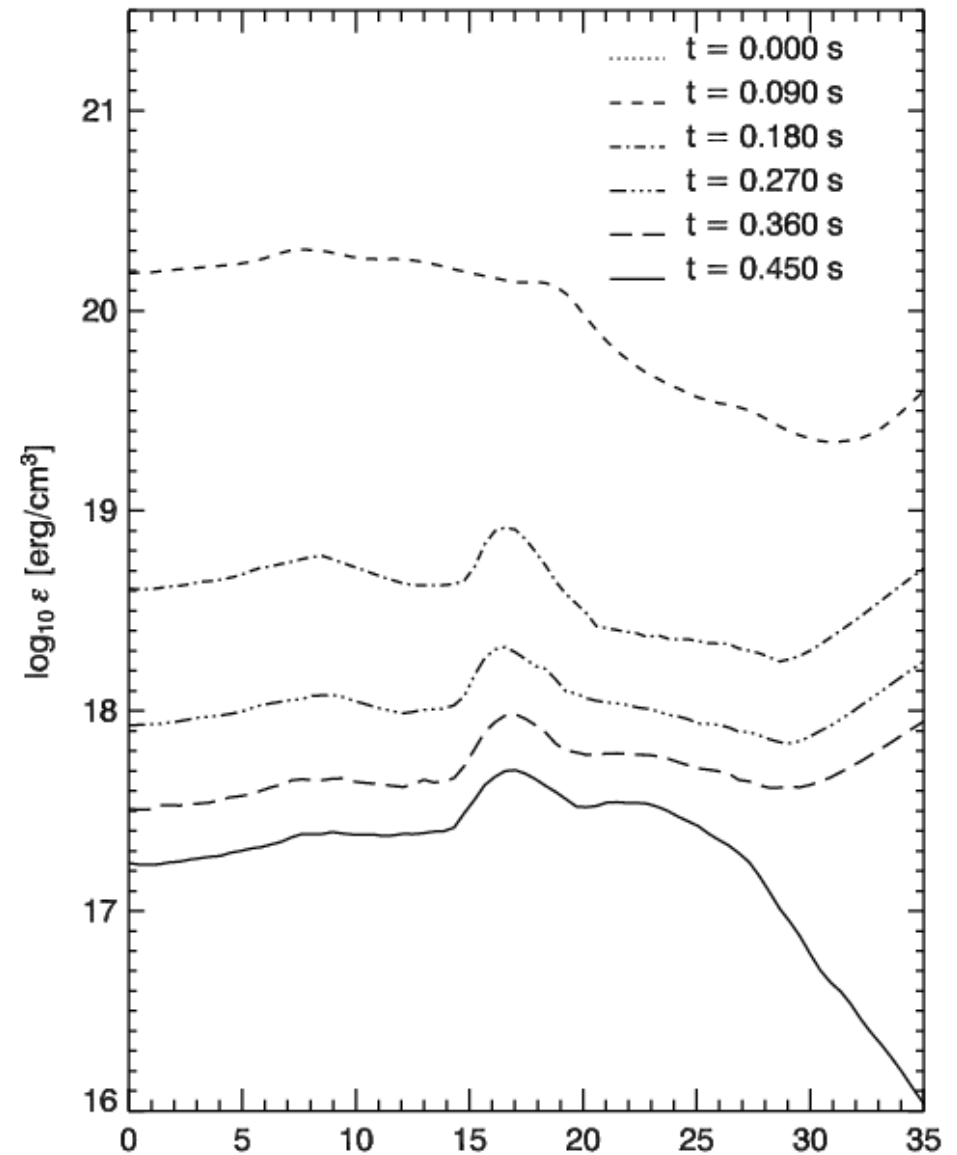
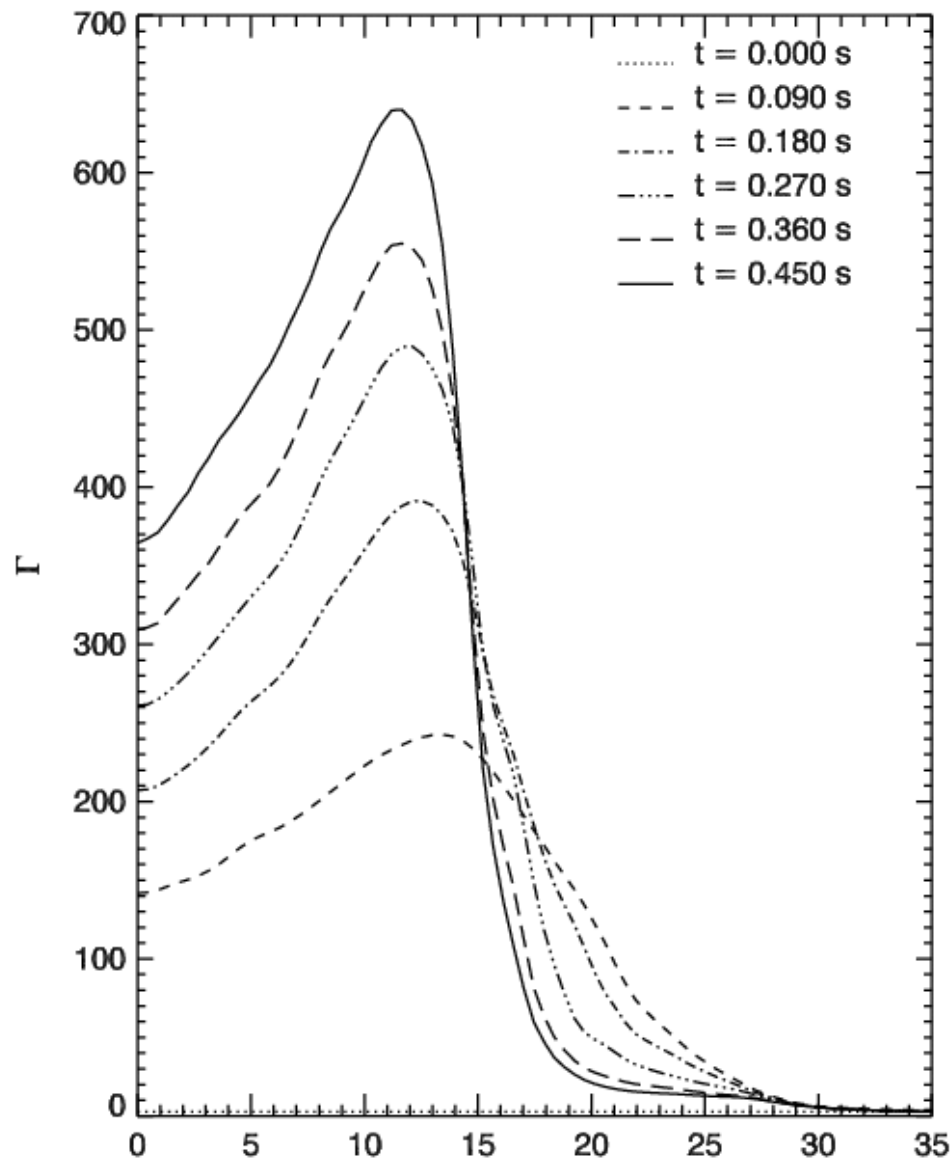
The density structure is highly irregular

⇒ internal shock develop although the resolution at  $R > 10^{10}$  cm is not good enough and a part of the structure created is erased.



## POST-SWITCH-ON EVOLUTION. Type-D

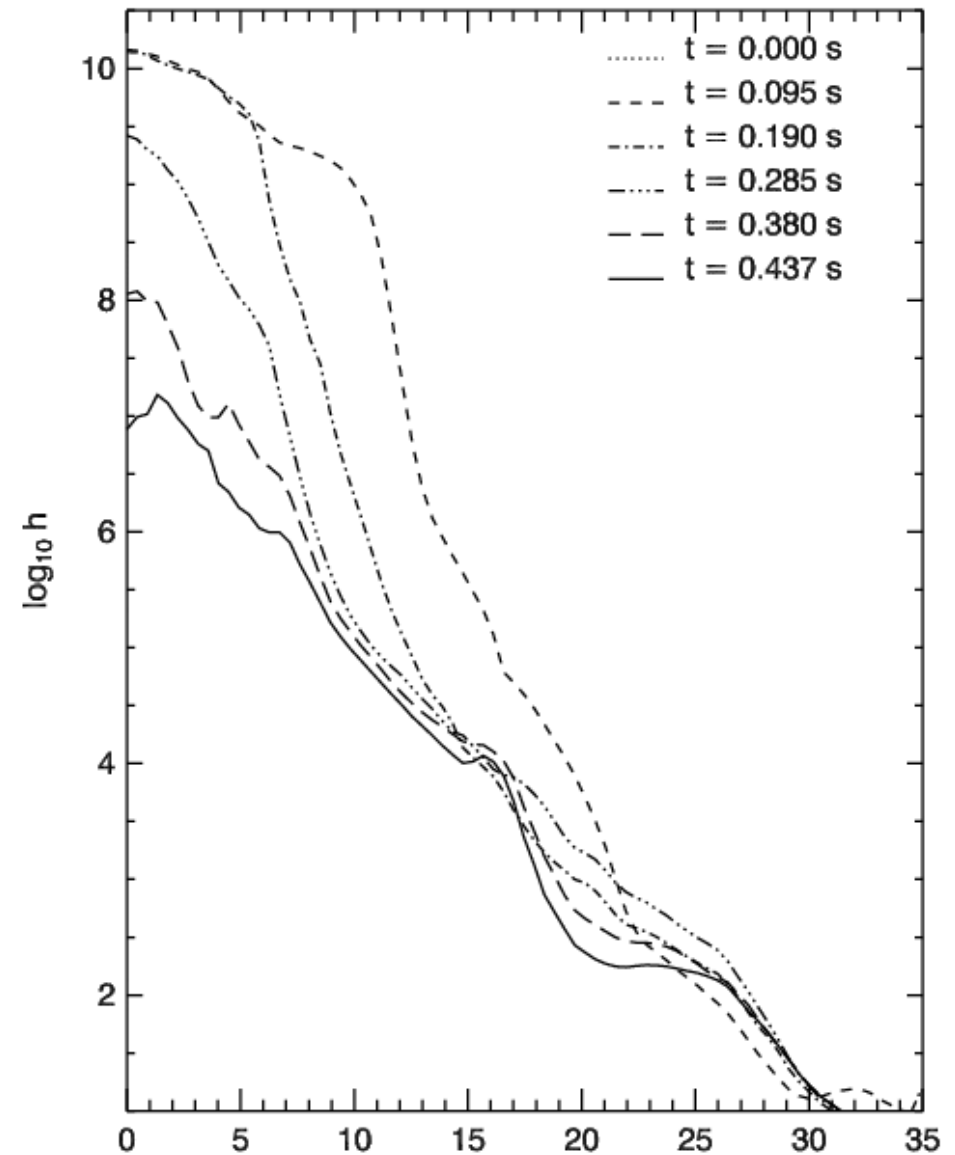
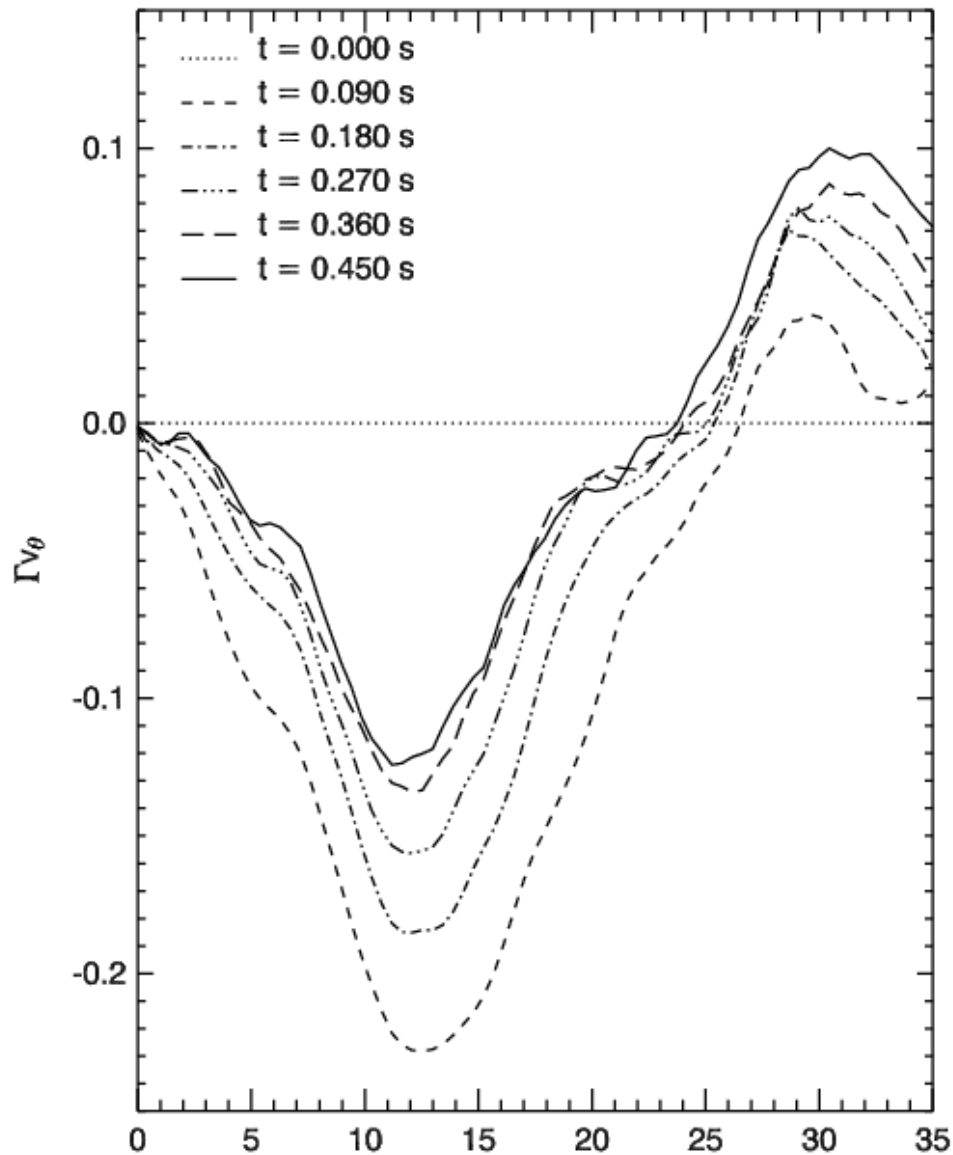
- ⇒ The radially averaged variables display a *non-monotonic* shape as a function of  $\square$ .
- ⇒ The internal energy as a function of the solid angle is *not constant*.



## POST-SWITCH-ON EVOLUTION. Type-D

⇒ The sideways expansion in the comoving frame is subsonic

⇒ A part of the fireball is *contracting*!.



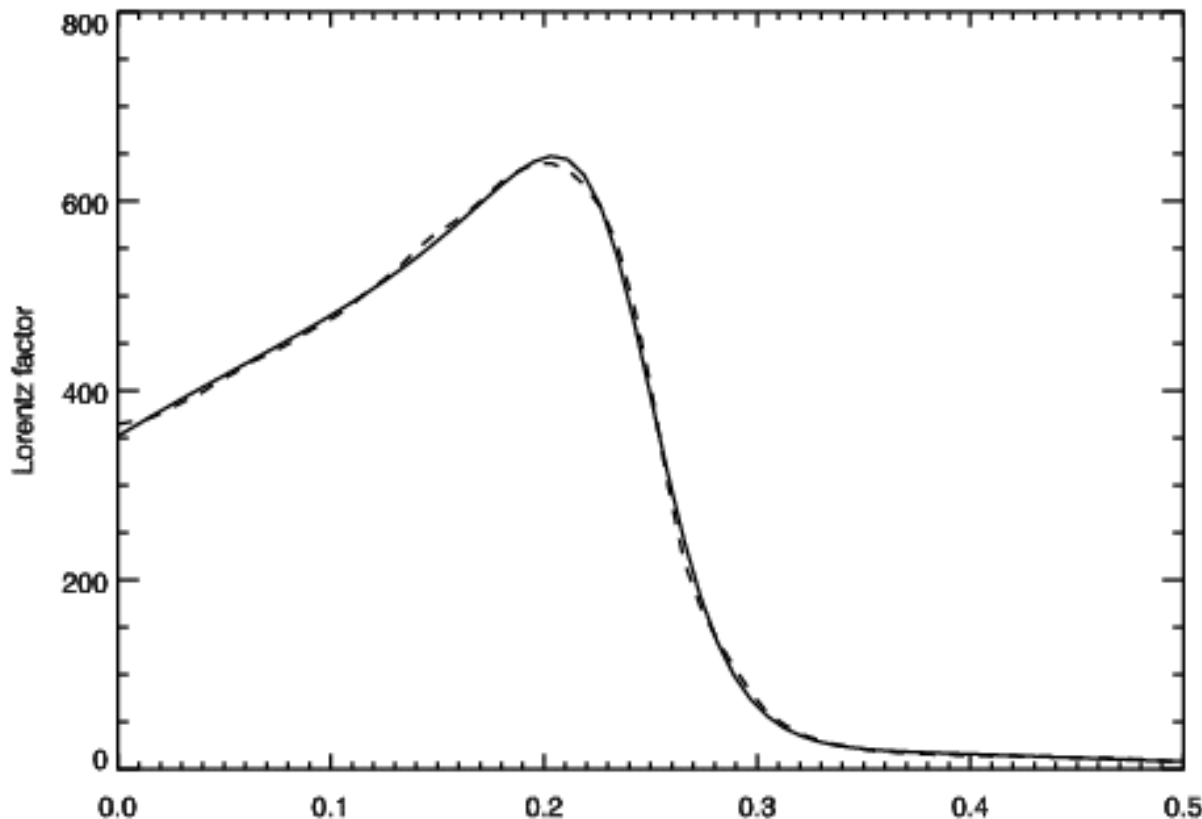


## Radially averaged profiles

The fireball structure is inhomogeneous both in radial and angular directions  
 $\Rightarrow$  disagreement (up to now) with both *Universal* or *Uniform* models.

Universal jet model:

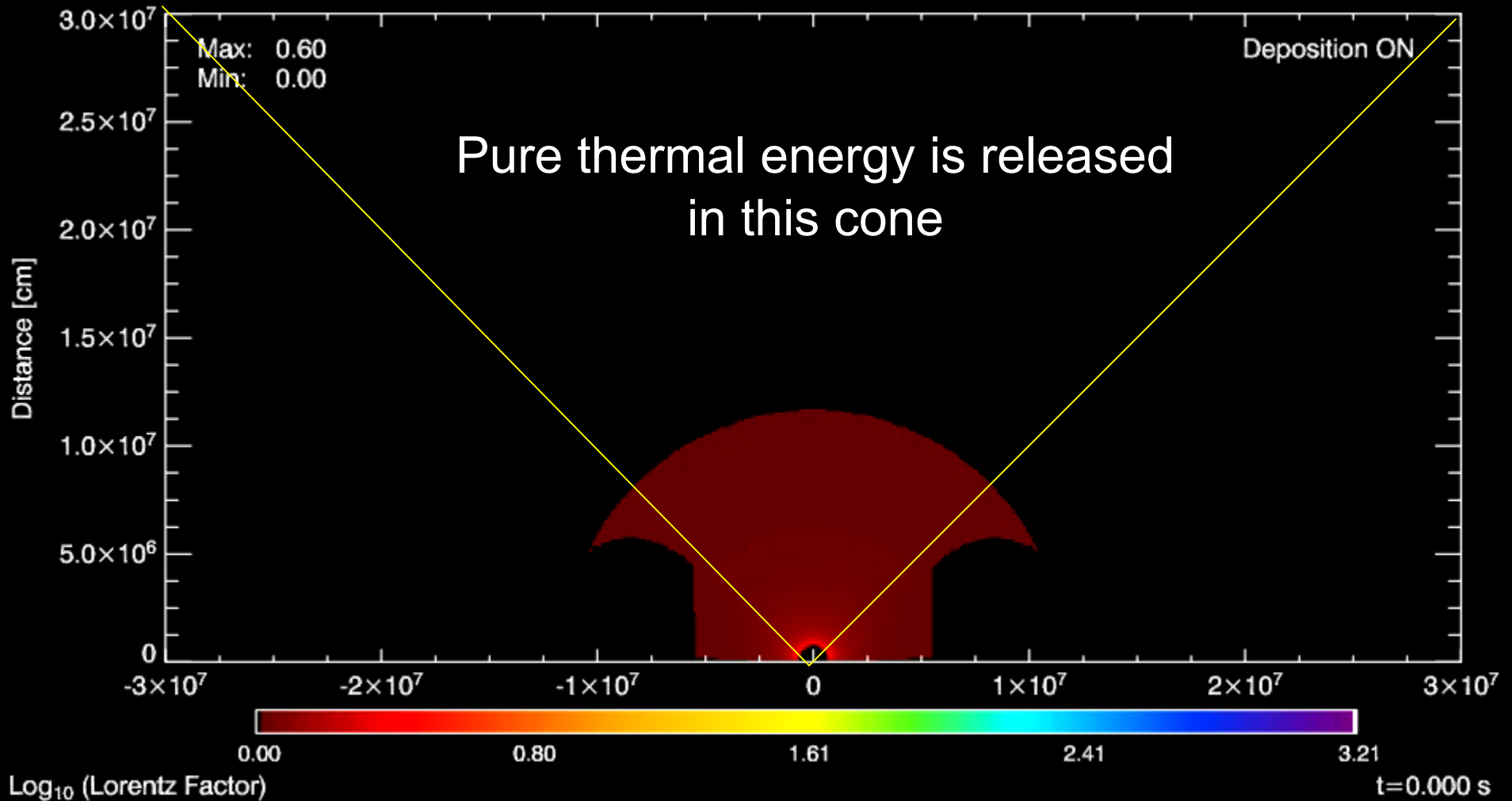
$$\epsilon(\theta, t_0) = \epsilon_0 \Theta^{-a}, \quad \Gamma(\theta, t_0) = 1 + (\Gamma_0 - 1) \Theta^{-b}, \quad \Theta \equiv \sqrt{1 + \left(\frac{\theta}{\theta_c}\right)^2}$$
$$\approx \begin{cases} 1, & \text{for } \theta \ll \theta_c, \\ \theta/\theta_c, & \text{for } \theta \gg \theta_c. \end{cases}$$



Best model fit to the Lorentz factor

$$\bar{\Gamma} = 1 + \frac{a_0 + a_1 x + a_2 x^2 + a_3 x^3}{a_4 + a_5 x + \exp(a_6 x)}$$

Likely *first steps* in the life of short GRB  
(from  $t=0$  to  $t=0.460$  s)



Model B01:

$$P = 2 \times 10^{50} \text{ erg/s}$$

## Concluding remarks:

Releasing energy above the poles at rates and with a functional dependence suggested by Janka et al (1999) relativistic, collimated outflows are produced.

Above our  $P_{\text{thr}}$ , we generate conical baryon poor winds (BPW) whose opening angle depend on a complex interaction between the fireballs and the walls of the torus and/or the density of the external medium (type-A).

Fixing the deposition angle and increasing the energy rate produces BPWs, more massive and with higher kinetic energy. Once BPWs are formed, either they follow easy, analytic power laws (type-A) or they are non-smooth and do not fit to any power law (type-B) .

A condition to produce a successful GRB is:  $V_{\text{rear}} \leq V_{\text{front}}$  which doesn't hold in type-A models but becomes  $V_{\text{rear}} < V_{\text{front}}$  in type-B ones.

The fireball stretches radially and, it can produce events with durations of several seconds.

The fireball structure is inhomogeneous both in radial and angular directions  
 $\Rightarrow$  disagreement (up to now) with both *Universal* or *Uniform* models